

# Identifying Monetary Shocks: It's All in the (Orthogonalization) Timing\*

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## Abstract

High-frequency surprises are a popular instrument for monetary policy shocks, and yet they are predictable from information already public at the time of the FOMC announcement. Orthogonalizing them against pre-announcement macro-financial predictors has become the state-of-the-art way of reinstating instrument validity. This paper shows that when surprises are aggregated to monthly, the timing of orthogonalization becomes part of the identifying design. I illustrate this in the orthogonalized monetary surprises of Bauer and Swanson (2023a): their series sums within-month surprises and purges the total using first-announcement predictors. I show that the obtained instrument retains a predictable component, therefore identifying a combination of shocks and news effects. Instead, I orthogonalize each surprise against its own pre-announcement information set and then aggregate. Under this method, first-stage strength collapses and the large macroeconomic responses reported are no longer statistically detectable. I rationalize the stark differences: the original instrument's power is concentrated in multi-announcement months — exactly where a first-announcement purge cannot remove later-announcement information. A simple model explains the asymmetry and formalizes orthogonalization timing as part of the identification design.

**Keywords:** Monetary Policy, Shocks, Surprises, News

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## I. Introduction

In recent years, the identification of monetary policy shocks has undergone significant refinement, particularly through high-frequency approaches that leverage financial market reactions around policy announcements. These methodologies aim to isolate exogenous components of monetary policy actions, enhancing our understanding of their macroeconomic effects and transmission mechanisms. The precision of such identification strategies is key, as it underpins the validity of inference on monetary policy’s impact on the economy.

A central concern in this literature is ensuring that the instruments for the shocks are orthogonal to information available at the time of policy decisions. In fact, failing to account for contemporaneous information can lead to endogeneity in the form of predictability, where the proxy series inadvertently capture systematic responses to economic conditions rather than unexpected policy moves. Ramey (2016) emphasizes a relevant discussion around these matters and since then, the issue has been addressed in studies focused on the importance of controlling for the central bank’s information.

In this context, I study one of the most prominent and influential monetary surprise series: the orthogonalized monthly instrument of Bauer and Swanson (2023a). The authors show that FOMC-level surprises are predictable from pre-announcement macrofinancial data, and therefore propose to orthogonalize the series to retrieve an exogenous instrument for monetary shocks. Their orthogonalized series is obtained by first summing all within-month surprises and then purging the monthly sum using a set of predictors observed before the *first* announcement of the month (“*sum-then-purge*”). When high-frequency surprises are converted into monthly external instruments, however, orthogonalization timing becomes part of the identifying design: if information sets change within the month, a monthly purge based only on first-announcement predictors need not remove later-announcement predictable variation.

Using the available replication data,<sup>1</sup> I first exactly reproduce their event-level regressions and asset-price responses, confirming the predictability of raw high-frequency monetary surprises. When it comes to the orthogonalization, I instead orthogonalize each announcement-level surprise with respect to its own pre-announcement information set and *then* aggregate the residuals (“*purge-then-sum*”). This approach guarantees that the instrument series is ex-ante unpredictable with respect to information available at the time of the surprise, allowing researchers to use it in line with the standard definitions of monetary shock.

However, implementing the corrected procedure comes at a cost. On the two-year Treasury yield, the first-stage F-statistic collapses from 10.2 to 0.1, falling well

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<sup>1</sup>See: <https://www.frbsf.org/research-and-insights/data-and-indicators/monetary-policy-surprises/>.

below any conventional weak-instrument threshold; analogous drops obtain for the federal funds rate and the one-year yield. As such, the orthogonalized surprises lose nearly all of their instrumental power, making the impulse responses functions obtained through a variety of popular empirical techniques no longer statistically distinguishable from zero. For instance, when I use the corrected instruments to estimate the external-instrument SVARs (Mertens and Ravn (2013), Stock and Watson (2018)) analyzed in Bauer and Swanson (2023a), the conventional responses are not statistically detectable.

I investigate these stark differences and show that these have a simple rationale: in my application to the Federal Reserve, the sum-then-purge and purge-then-sum instruments differ markedly in multiple-announcement months, that is, when the relevant orthogonalizing information sets *change* within the month. In the baseline sample, only 31 of 385 months contain more than one monetary announcement, consistently with the schedule of eight meetings per year established since 1981. I document that these episodes do not constitute a representative sample of monetary policy conduct and are concentrated in two scenarios: (i) they are common before the communication regime shift in 1994, when policy changes were not conveyed in a single post-meeting statement and occurred in multiple announcement windows; (ii) they cluster in crises, as the Global Financial Crisis, the onset of the pandemic and, earlier on, the 1990–92 recession/oil-shocks/credit-crunch episodes. I show that these observations generate a disproportionate share of the strength of the sum-then-purge instrument, providing an empirical argument for the sharp contrast between my results and Bauer and Swanson (2023a).

Three auxiliary results corroborate this finding. First, the two monthly series proxies are close in single-announcement months but diverge systematically in months with multiple announcements, with correlations dropping from 0.98 to 0.80, and the mean absolute gap rising from 0.89 to 3.82 basis points. Second, later-announcement predictors remain jointly significant for the orthogonalized sum-then-purge series in those multi-announcement months, validating the origin of the gap and emphasizing the need to address it. Third, an analytical decomposition quantifies that most of the gap comes from the direct later-announcement component, with a smaller spillover through monthly projection coefficients. In summary, the multi-announcement months generate both the sum-then-purge instrumental power (BS) *and* the divergence between the two orthogonalized series.

Exact replication of Bauer and Swanson (2023a)’s predictability regressions confirm that the gap is isolated to the aggregation of event-level surprises to the monthly frequency. In this sense, when high-frequency monetary surprises are converted into monthly external instruments, orthogonalization timing is part of the identifying design. The distinction is most consequential in the very episodes where event clustering is economically salient, as events of macroeconomic and financial stress where the Federal Reserve intervenes more prominently and, often,

multiple times in a month.

To organize ideas, I develop a model characterizing the formal differences between the two approaches. I show that aggregating FOMC surprises before orthogonalization leaves later-announcement news unaffected, inflating instrumental strength and producing the sizable (but biased) impulse responses. Orthogonalizing each surprise first removes this predictable component, yielding a well-identified (and empirically much weaker) instrument. When taking seriously the evidence of predictability of policy surprises provided by Bauer and Swanson (2023a), precise identification of monetary shocks hinges on the timing of the orthogonalization.

**Related Literature** This paper contributes to the broader literature on the use of interest rate surprises as instruments for monetary policy shocks, and on their limitations. Seminal in this literature is Nakamura and Steinsson (2018), who argue that information effects contaminate high-frequency surprises in the identification of monetary disturbances. Jarociński and Karadi (2020) separate monetary from information shocks using the joint response of interest rates and equity prices, while Miranda-Agrippino and Ricco (2021) show that standard high-frequency instruments combine policy and signaling components and propose a cleaner proxy. Relatedly, Bauer and Swanson (2023b) argue that much of the documented predictability in these surprises reflects the Fed’s response to public news rather than information effects, and Cieslak and Schrimpf (2019) show more broadly that central-bank communication often conveys non-monetary news about growth and risk premia. This paper complements that line of work by shifting attention from the decomposition of a single announcement to the aggregation of multiple announcements at the monthly frequency commonly used in empirical analysis. Closest on the aggregation dimension, Lee and Sekhposyan (2024) study how high-frequency surprises should be mapped into low-frequency VAR instruments. The issue addressed by the present paper holds fixed the BS predictor set and monthly target frequency, and studies whether predictable components are removed before or after monthly aggregation.

Taking seriously the case for purging surprises of their predictable components, it argues that orthogonalization and time aggregation are not commutative operations, so that the timing of the purge is itself part of the identification design. In particular, when a month contains multiple announcements, aggregating surprises before orthogonalizing them leaves later-announcement predictability embedded in the instrument. In this sense, the paper is also related to Chen (2026), who offer an alternative explanation for the predictability of monetary surprises based on the Fed’s response to financial conditions and a wait-and-see attitude toward recent real data, and to Aruoba and Drechsel (2024), who identify monetary shocks by conditioning policy decisions on information extracted from Fed staff documents.

More broadly, the paper speaks to the literature using high-frequency identified

instruments as proxies for shocks in VARs and local projections. Gertler and Karadi (2015) provide the canonical monetary application; Stock and Watson (2018) formalize the conditions under which (external) instruments identify dynamic causal effects; Lewis and Mertens (2026) study weak-instrument bias in the corresponding just-identified impulse-response estimators; close in spirit is also Ramey (2011), where incorrect timing causes standard VAR shocks to miss the relevant fiscal innovation. Here too, timing is not an implementation detail, but part of what determines whether the resulting series can be interpreted as a valid instrument for a structural shock. My results suggest that proxy construction cannot be separated from identification: changing the timing of orthogonalization can materially affect instrument validity and resulting macroeconomic inference.

The remaining sections are structured as follows. Section II introduces the two alternative ways to construct the monthly instruments, anchoring the exposition to the illustrative case of October 2008. Section III discusses the distinction between single- and multi-announcement months, showing that the bulk of the power of the *sum-then-purge* instrument comes from the multi-announcement episodes. Section IV develops the identification argument in the context of a simple model explicitly considering the timing of the orthogonalization, providing a formal derivation of the bias. Section V revisits the key empirical results in Bauer and Swanson (2023a) (*BS* henceforth), comprehensively reassessing the impulse responses and discussing the lessons that emerge. Section VI concludes.

## II. Orthogonalization Timing

Bauer and Swanson (2023a) estimate surprises around FOMC announcements using a high-frequency event-study approach (Kuttner (2001), Cook and Hahn (1989)). The financial assets studied in the 30-minute window are one- to four-quarter-ahead Eurodollar futures (ED1–ED4) (Gurkaynak et al. (2005), Nakamura and Steinsson (2018)). Bauer and Swanson calculate intradaily interest rate changes in ED1-ED4 in a 30-minute window around the FOMC announcement, extracting the first principal component of these changes and interpreting it as monetary policy surprises.

BS argue that incomplete information about the Fed’s reaction function can give rise to correlations between monetary policy surprises and economic news. When using these surprises as instruments for policy shocks, such predictability constitutes a confounder for the causal analysis of monetary effects. Thus, BS rightly emphasizes the importance of orthogonalizing the surprises. For instance, on page 104: “[...] we recommend orthogonalizing  $mps_t$  with respect to the macroeconomic and financial variables that are observed before the FOMC announcement [...]]. However, a matter of aggregation from event to monthly-level – i.e., the time units of their empirical analysis – emerges when implementing this procedure,

since multiple FOMC announcements can occur within the same month.

Then, there are two possible approaches:

- (i) “*sum-then-purge*”: sum the within-month surprises and *then* orthogonalize with respect to *a* chosen measurement of the news variables;
- (ii) “*purge-then-sum*”: orthogonalize each measured surprise with the respective up-to-date news variables, and *then* sum the orthogonalized surprises within months.

BS adopt the former approach, and they choose as orthogonalizing information set the value of the news variables available before *the first* of the FOMC announcements within each month. Below, I show this distinction to be highly consequential for the identification of the effects of monetary policy.

Let months be indexed by  $m = 1, \dots, M$  and within-month announcements by  $t = 1, \dots, T_m$ , where  $T_m$  denotes the number of monetary policy announcements in month  $m$ .<sup>2</sup> Let  $\mathbf{X}_{t-m} \in \mathbb{R}^k$  be the vector of news variables observed just before announcement  $(t, m)$ , and define the contemporaneous information set  $\Omega_{tm} = \{\mathbf{X}_{t-m}, \mathbf{X}_{1m-1}, \dots\}$ .

Consider a simple scenario of a month with two monetary events. An early announcement, observed under information set  $X_{1m}$ , and a later announcement, observed under information set  $X_{2m}$ . If one first sums the two surprises and then purges the monthly total using only  $X_{1m}$  (*sum-then-purge*), the component of the later announcement that is predictable from the newly arrived information in  $X_{2m}$  remains in the instrument. By contrast, if each announcement-level surprise is first orthogonalized with respect to its own pre-announcement information set and the residuals are summed afterwards (*purge-then-sum*), that predictable component is removed by construction. This is exactly the type of mechanism we observe in the data: to illustrate, consider next the case of October 2008.

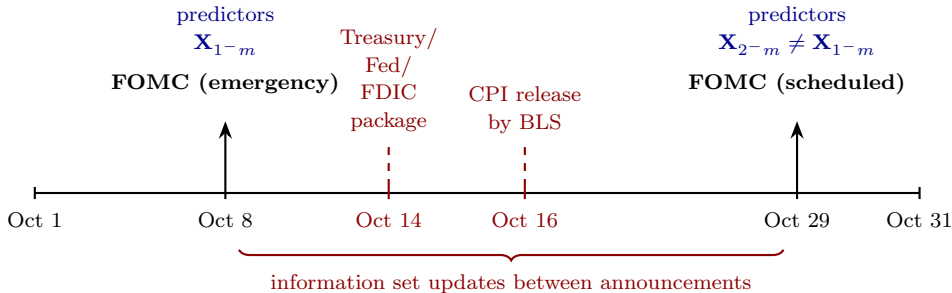
## II.I Canonical case: October 2008

A useful real-world example comes from October 2008. The timeline is reported in Figure I below.

The Fed held an unscheduled emergency meeting on October 8 following the developments on the unfolding financial crisis, and reconvened at the scheduled meeting on October 29. Between the two announcements, financial conditions changed materially: the S&P 500 fell sharply, commodity prices collapsed, the yield curve steepened, and the Bureau of Labor Statistics released the September CPI figure on October 16. The information set observed before the second announcement therefore differed markedly from the information set observed before

<sup>2</sup>For months with no monetary announcement,  $T_m = 0$ , so that  $z_m = \tilde{z}_m = 0$  by convention.

the first. In such a month, an orthogonalization that uses only first-announcement predictors cannot remove the component of the later-announcement surprise that is predictable from the information released between the two meetings. The resulting monthly instrument mechanically retains that component by construction. Indeed, the monthly orthogonalized measure differs across sum-then-purge and purge-then-sum orthogonalization procedures ( $\approx 10$  versus  $\approx 18$  basis points).<sup>3</sup>



**Figure I:** October 2008, stylized timeline.

Although a fairly representative case for stress/emergency episodes, October 2008 is not a template for all multi-announcement months. For instance, July 1988 shows that the issue is not confined to crisis periods: the BS data contain one Fed announcement on July 1 and two later announcements during the month, and the payroll-surprise predictor changes from  $-13.5$  at the first announcement to  $121$  at the later ones; as a result, in that month the measures even differ in sign ( $\approx 3$  bps versus  $\approx -4$  bps). Appendix A shows that the largest gaps between the monthly BS series and the announcement-level series line up exactly with this kind of month.

## II.II Multi-announcement months: Overview

Table I lists all 31 multi-announcement months compactly, providing some historical context. These episodes cluster in two scenarios. First, they are common before the communication regime shift in February 1994, when policy changes were not conveyed in a single post-meeting statement and could occur in multiple announcement windows within a month. Second, they occur in exceptional episodes as the Global Financial Crisis, the onset of the pandemic and the 1990–92 recession/oil-shocks/credit-crunch occurrences. These episodes do not constitute a representative sample of monetary policy conduct: they are disproportionately crisis months and pre-1994 regime months, rather than ordinary policy setting meetings.

In Section IV, I describe formally the timing mechanism in a general fashion,

<sup>3</sup>For scale, the median surprise in BS' original series is 2.4 basis points.

encapsulating all multi-announcement month structures. This delivers a sharp analytical decomposition of the gap between the two monthly instruments, aiding intuition and clarifying the identification concerns inherent in the sum-then-purge instrument. Before expanding on this, I provide an empirical overview of its consequences for instrumental strength and monetary inference.

**Table I:** Multi-announcement months in the baseline sample

Month	# Ann.	# Unsched.	Historical context
<i>Panel A. Post-1987-crash normalization &amp; anti-inflation tightening</i>			
1988:02	3	2	FOMC removes post-crash easing as inflation concerns rise.
1988:04	3	3	FOMC continues normalization as inflation pressures build.
1988:05	7	4	FOMC tightens repeatedly amid inflation worries.
1988:06	2	2	FOMC tightens again as inflation pressures intensify.
1988:07	3	2	FOMC continues tightening as inflation worries persist.
1988:08	3	2	FOMC continues tightening amid inflation concerns.
1988:11	3	2	FOMC resumes tightening as inflation concerns persist.
1989:01	3	3	FOMC continues tightening with inflation still central.
1989:02	5	4	FOMC presses late-cycle tightening as inflation remains central.
<i>Panel B. Pivot from inflation fight to easing as growth slowed</i>			
1989:07	4	3	FOMC pivots toward easing as growth slows.
1989:10	3	2	FOMC eases as growth slows and markets wobble.
1989:11	4	3	FOMC eases further as the slowdown becomes clearer.
<i>Panel C. Recession, oil shock, credit crunch, and weak recovery</i>			
1990:07	2	1	FOMC begins easing as the economy weakens.
1990:10	2	1	FOMC eases further after the Gulf oil shock.
1990:11	3	0	FOMC keeps easing amid recession and credit strains.
1990:12	3	1	FOMC continues easing with credit still tight.
1991:02	3	2	FOMC eases repeatedly amid recessionary weakness.
1991:03	2	1	FOMC keeps easing near the 1991 trough.
1991:04	2	2	FOMC eases into a weak, balance-sheet recovery.
1991:08	2	1	FOMC keeps easing amid weak recovery and cautious banks.
1991:09	2	2	FOMC keeps easing amid weak recovery and tight credit.
1991:10	2	1	FOMC eases again amid sluggish recovery and tight credit.
1991:11	2	0	FOMC keeps easing as lender caution persists.
1991:12	4	3	FOMC keeps easing in a weak-credit recovery.
1992:04	2	1	FOMC eases again as recovery disappoints.
<i>Panel D. Post-1994 stress episodes</i>			
2001:01	2	1	FOMC responds to dot-com slowdown with intermeeting easing.
2007:08	3	2	FOMC responds to funding stress with liquidity action.
2008:01	2	1	FOMC delivers emergency easing as financial stress intensifies.
2008:03	2	1	FOMC responds to the Bear Stearns crisis.
2008:10	2	1	FOMC joins coordinated emergency easing at the GFC peak.
2019:10	2	1	FOMC eases amid repo-market stress.

*Notes:* Multi-announcement months are months with at least two entries; there are 31 such months, 25 of them before February 4, 1994. Exact announcement dates are omitted for compactness. Before February 1994, the FOMC did not publicly announce policy decisions; markets inferred them from New York Fed Open Market Desk operations. On February 4, 1994, the Fed began announcing policy changes and subsequently expanded this into a statement after every FOMC meeting.

### III. Instrument Strength: Interest Rates Response

This section asks a simple question: where does the monthly BS proxy obtain its predictive content for interest rates? More specifically: what do the multi-announcement months contribute to the strength of their instrument? To answer it, I decompose the monthly orthogonalized BS surprise into the component realized in single-announcement months and the component realized in multi-announcement months, and I re-estimate the BS local projections allowing the two components to enter separately.<sup>4</sup> The exercise is informative in two ways. First, the unrestricted coefficients compare the response to a one-basis-point surprise across the two types of months. Second, because the pooled BS instrument is the sum of the two components, the same decomposition shows how much each group contributes to the pooled coefficient, establishing a direct analytical relationship between the restricted coefficient and the unrestricted coefficients estimated through the partitioned regression.<sup>5</sup>

I find that the restricted pooled coefficient is a weighted average of the single- and the multi-event shock proxy. Crucially, the latter component disproportionately drives the bulk of the instrumental power of the restricted specification. This finding is highly consequential for the interpretation of the monetary instrument. It establishes that the relevance of the IV is concentrated in a small minority of non-representative observations – the multi-announcement months –, casting doubt on the robustness of the instrument’s validity; relatedly, it offers a parsimonious rationalization for the power increase of the proxy after orthogonalization. Moreover, it emphasizes the salience of the *purge-then-sum* timing protocol, as the enhanced strength of the IV completely disappears when the orthogonalization accounts for later-announcement information.

Let  $z_m$  denote the monthly orthogonalized Bauer–Swanson monetary surprise. Define the partition

$$z_m^S = z_m \cdot \mathbf{1}\{T_m = 1\}, \quad (1)$$

$$z_m^M = z_m \cdot \mathbf{1}\{T_m \geq 2\}, \quad (2)$$

where  $T_m$  is the number of FOMC-related announcements in month  $m$ , so that  $S$  and  $M$  denote *single-* and *multi-* announcement surprises, respectively. By construction,  $z_m = z_m^S + z_m^M$  and  $z_m^S \cdot z_m^M = 0$  (non-overlapping support).

For each horizon  $h$ , I estimate the local projection of the interest rate  $y_{m+h}$  on the BS instrument  $z_m$ , which delivers first-stage relevance:

$$y_{m+h} = \alpha_h + \beta_{R,h} z_m + \mathbf{X}'_m \gamma_h + u_{m+h}, \quad (3)$$

<sup>4</sup>The same logic propagates to any of the other empirical techniques considered in BS.

<sup>5</sup>The results of BS’ LP-IV exercise are reported in Appendix E; this section instead decomposes the interest-rate response that supplies first-stage relevance to their estimates.

and then the partitioned specification

$$y_{m+h} = \alpha_h + \beta_{1,h} z_m^S + \beta_{2,h} z_m^M + \mathbf{X}'_m \gamma_h + u_{m+h}. \quad (4)$$

The same controls  $\mathbf{X}_m$  appear in both regressions. By Frisch–Waugh–Lovell, after partialling out the common controls and the constant, the pooled coefficient is an exact affine combination of the two unrestricted slopes,

$$\hat{\beta}_{R,h} = \hat{\omega}_{1,h} \hat{\beta}_{1,h} + \hat{\omega}_{2,h} \hat{\beta}_{2,h}, \quad \hat{\omega}_{1,h} + \hat{\omega}_{2,h} = 1, \quad (5)$$

where the sample weights  $\hat{\omega}_{1,h}$  and  $\hat{\omega}_{2,h}$  depend on the residualized variation of  $z_m^S$  and  $z_m^M$ . This identity separates the two above-mentioned notions cleanly: first, the pair  $(\hat{\beta}_{1,h}, \hat{\beta}_{2,h})$  asks how much the outcome moves per basis-point surprise in single- and multi-announcement months; second, the products  $\hat{\omega}_{1,h} \hat{\beta}_{1,h}$  and  $\hat{\omega}_{2,h} \hat{\beta}_{2,h}$  ask how much each group contributes to the pooled BS response.<sup>6</sup>

I implement equation (4) over the same local projection window as BS' specification, February 1988 through February 2020. Of the 385 months in this window, 238 are single-announcement, 31 are multi-announcement, and 116 contain no FOMC-related announcement.<sup>7</sup> Outcomes, controls, lag length, and confidence bands closely follow the local projection specification in BS; the main outcome of interest is the two-year Treasury yield.

**Table II:** LP decomposition by event-month type — 2-year Treasury yield

$h$	$\hat{\beta}_R$	$\hat{\beta}_1$	$\hat{\beta}_2$	$p_{H_0:\beta_1=\beta_2}$	$\hat{\omega}_1$	$\hat{\omega}_2$	$N$
0	0.56 (0.30)	0.02 (0.31)	1.96 (0.47)	0.001	0.720	0.280	384
3	-0.08 (0.71)	-1.23 (0.78)	2.89 (1.29)	0.007	0.720	0.280	381
6	1.15 (0.68)	0.07 (0.75)	3.96 (1.41)	0.021	0.724	0.276	378
12	0.47 (0.77)	-0.91 (0.89)	4.10 (1.14)	0.000	0.723	0.277	372
18	1.50 (0.75)	-0.15 (0.72)	5.78 (1.45)	0.001	0.722	0.278	366
24	1.17 (0.69)	0.19 (0.84)	3.70 (1.33)	0.063	0.721	0.279	360
36	-0.75 (0.88)	0.33 (0.91)	-3.53 (1.47)	0.026	0.720	0.280	348
48	-1.60 (1.06)	0.09 (1.05)	-5.91 (2.82)	0.075	0.717	0.283	336

*Notes:* Coefficients from the unrestricted local projections with controls as in the public-data local-projection specification reported in Appendix E. Newey–West standard errors with bandwidth in parentheses.  $p_{H_0}$  is the Wald test of  $\beta_1 = \beta_2$ . Sample: 1988:02–2020:02, excluding 2001:09.

Table II and Figure II report the results. At horizon  $h = 0$  for the two-year Treasury yield, the pooled slope is  $\hat{\beta}_R = 0.56 (0.30)$ , the single-announcement slope is  $\hat{\beta}_1 = 0.02 (0.31)$ , and the multi-announcement slope is  $\hat{\beta}_2 = 1.96 (0.47)$ ;

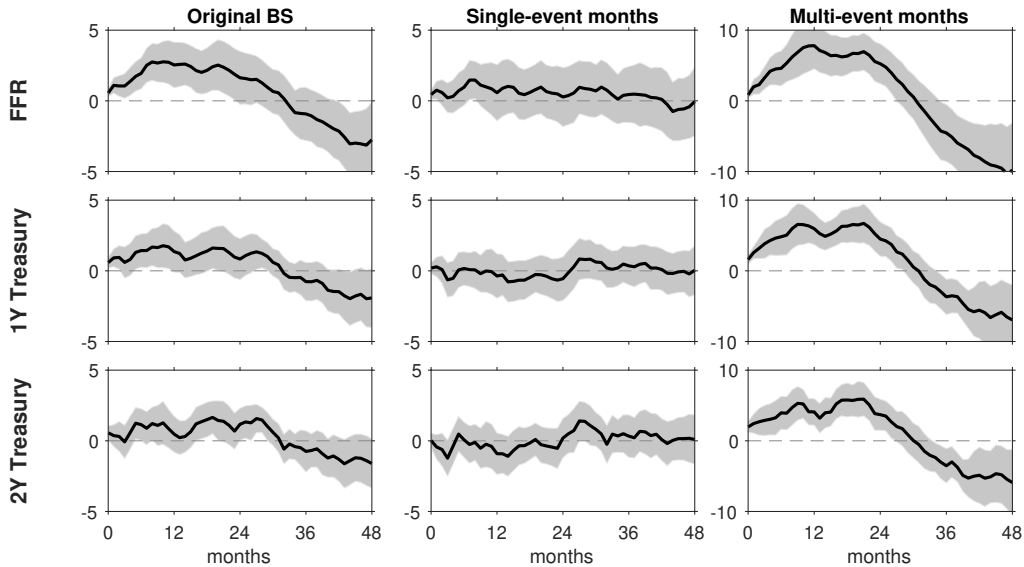
<sup>6</sup>The full proof is detailed in Appendix G.I.

<sup>7</sup>Multi-announcement months are 8.1% of all months and 11.5% of event months in the baseline window. Of the 31 multi-announcement months, 15 contain two announcements, 11 contain three, 3 contain four, 1 contains five, and 1 contains seven.

the null  $\beta_1 = \beta_2$  is rejected with  $p = 0.0005$ . Across horizons,  $|\hat{\beta}_2| > |\hat{\beta}_1|$  at 47 of 49 horizons, and the same pattern appears for the federal funds rate and the one-year Treasury yield. In summary, single-announcement months contribute essentially none of the interest-rate response that gives the monthly BS proxy its instrumental relevance.

The weighting arithmetic makes the same point from the pooled-regression perspective. The estimates satisfy  $\hat{\beta}_{R,h} = \hat{\omega}_{1,h}\hat{\beta}_{1,h} + \hat{\omega}_{2,h}\hat{\beta}_{2,h}$  horizon by horizon, with  $(\hat{\omega}_1, \hat{\omega}_2) \approx (0.72, 0.28)$  throughout the grid. Multi-announcement months therefore account for about 28% of the residualized variation in the pooled proxy despite representing only about 8% of the sample. Because  $\hat{\beta}_1$  is near zero, the pooled BS response is in practice close to a rescaled version of the multi-announcement slope.<sup>8</sup>

Figure II shows the full impulse responses for all conventionally used interest rates. The visual pattern is unambiguous: the pooled BS response tracks the multi-announcement series closely, while the single-announcement series remains near zero at essentially all horizons. The decomposition therefore identifies a small set of observations that is economically decisive for the instrument's strength.<sup>9</sup>



**Figure II:** Local projection responses to a unit monetary surprise, by event-month type. Rows: federal funds rate (top), 1-year Treasury yield (middle), 2-year Treasury yield (bottom). Columns: pooled BS response  $\hat{\beta}_{R,h}$  from the pooled regression on  $z_m$  (left), single-announcement months  $\hat{\beta}_{1,h}$  (center), multi-announcement months  $\hat{\beta}_{2,h}$  (right). Sample, controls, lag length, and 90% bands follow the public-data local-projection specification reported in Appendix E.

<sup>8</sup>At  $h = 0$ ,  $0.72 \times 0.02 + 0.28 \times 1.96 \approx 0.56$ , which reproduces the pooled coefficient exactly.

<sup>9</sup>Appendix H studies whether irregular announcements overweight multi-announcement months in the event-level regression. I test this and find it empirically moot. I thank Domenico Giannone for encouraging me to explore this dimension.

The decomposition isolates a small but economically distinctive set of months. In the baseline sample, there are only 31 months with more than one announcement.<sup>10</sup> I have shown that these are exactly the months in which the sum-then-purge monthly proxy is most exposed to the timing problem, because later-announcement information can enter the monthly orthogonalization even though it was not available before the first announcement. Consistent with that mechanism, the sum-then-purge and purge-then-sum instruments are nearly identical in single announcement months but diverge sharply in multi-announcement months.<sup>11</sup>

The unrestricted regression in (4) shows that multi-announcement months are therefore not just the most salient episodes where the timing issue occurs: they are the observations where the power of the BS instrument originates. These are two views of the same fact: the same months both generate the divergence between the two instruments and account for most of the BS interest-rate response. Once the orthogonalization is moved to the announcement level, that source of predictive content largely disappears, which is precisely the loss of strength I documented. Section IV formalizes these notions.

### III.I Where the predictability actually lives

This interpretation is directly supported by the data. The contamination mechanism makes a direct testable prediction. Restricting attention to multi-announcement months, later-announcement predictors should remain jointly significant in regressions of the monthly BS series on the information observed before later announcements within the same month. If the BS procedure fully removed same-month predictability, this block should be jointly insignificant.

The data reject this implication. Later-announcement predictors are jointly significant for the monthly BS series: unconditionally  $F = 3.36$  ( $p = 0.012$ ), and conditional on the first-announcement predictor vector  $F = 7.00$  ( $p < 0.001$ ) (Appendix Table B.1). The BS procedure retains same-month predictable variation that arrives after the first announcement. That leftover variation improves the first stage, but it does so by contaminating the instrument. Purging at the announcement level removes this predictable component. The resulting series is therefore cleaner on timing and exogeneity grounds, but also less relevant in the first stage.

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<sup>10</sup>Table I lists all 31 multi-announcement months in compact form, together with some narrative context.

<sup>11</sup>The correlation falls from 0.978 to 0.805 (Table A.1, Figure A.1), the direct later-announcement component explains 77.4% of the covariance shortfall (Table A.2), and later-announcement predictors remain jointly significant in the BS monthly series (Table B.1).

## IV. Identification: Orthogonalization Timing & Monetary Shocks

This section formalizes why the empirical fact of Section II is not an accident of the data, but a consequence of the way the BS monthly orthogonalized series is constructed, i.e., of the *sum-then-purge* orthogonalization protocol. At the announcement level, I reproduce BS’s predictability regressions and event-study asset-price responses exactly, isolating the divergence to the monthly aggregation stage. The point is as simple as it is consequential. The information set that is relevant for orthogonalization can change between the first and a later announcement of the same month. A monthly orthogonalization that uses only the *first*-announcement information set cannot, by construction, remove the component of later-announcement surprises that is predictable from the information that arrives afterwards. That leftover predictable component is then carried into every downstream exercise in which the monthly BS orthogonalized series is used as an instrument, contaminating the instrument and biasing estimated responses to the latent monetary policy shock.

### IV.I Econometric Framing

Let months be indexed by  $m = 1, \dots, M$  and within-month announcements by  $t = 1, \dots, T_m$ , where  $T_m$  denotes the number of monetary policy announcements in month  $m$ .<sup>12</sup> Denote the raw high-frequency surprise around announcement  $(t, m)$  by  $\text{MPS}_{tm} \in \mathbb{R}$ . Let  $\mathbf{X}_{t-m} \in \mathbb{R}^k$  be the vector of news variables observed just before that announcement and define the contemporaneous information set as  $\Omega_{tm} = \{\mathbf{X}_{t-m}, \mathbf{X}_{1m-1}, \dots\}$ .

Consistent with the BS framework, the Central Bank sets  $i_{tm}$  according to a rule of the form  $i_{tm} = \alpha_{tm} x_{tm} + \varepsilon_{tm}$ , where  $x_{tm}$  is a scalar representing the state of the economy and  $\varepsilon_{tm}$  is the *true* monetary policy shock.<sup>13</sup> By assuming a process for the state of the economy and for the rule’s coefficient, BS present a convincing case (their eq. (4)) that monetary surprises might capture both the intended shock and “*information that is publicly available prior to the FOMC*” (p. 100). Enriching their previous result (Bauer and Swanson (2023b)) with robust econometric evidence of predictability (exactly replicated in Section V.I), BS recommend orthogonalization of monetary surprises.

Analogously to BS equation (14), I specify

$$\text{MPS}_{tm} = \beta' \mathbf{X}_{t-m} + u_{tm}, \quad (6)$$

<sup>12</sup>For months with no monetary announcement,  $T_m = 0$ , so that  $z_m = \tilde{z}_m = 0$  by convention.

<sup>13</sup>For simplicity of exposition, I adopt BS notation, but clarify that  $x_{tm}$  and  $\mathbf{X}_{t-m}$  are distinct objects: the former is a theoretical representation of a policy-relevant variable (e.g., the output gap), the latter represents the empirical  $k$ -by-1 news variables vector (“predictors”).

where  $u_{tm}$  denotes the residual from the event-level predictability regression.<sup>14</sup> The *purge-then-sum* uses:

$$\tilde{z}_m := \sum_{t=1}^{T_m} u_{tm}, \quad \mathbb{E}[\tilde{z}_m \mid \Omega_{m-1}] = 0, \quad (7)$$

while the former, *sum-then-purge*, first aggregates and *then* orthogonalizes using only the first occurrence of the news variables within each month:

$$z_m := \sum_{t=1}^{T_m} \text{MPS}_{tm} - \gamma' \mathbf{X}_{1-m}, \quad (8)$$

with  $\gamma$  estimated by OLS. Defining  $\delta := \beta - \gamma$  and using (7) yields

$$z_m = \delta' \mathbf{X}_{1-m} + \beta' \sum_{t=2}^{T_m} \mathbf{X}_{t-m} + \tilde{z}_m \quad (9)$$

where (9) embeds  $\tilde{z}_m$  and some combination of the predictable relationship between  $\text{MPS}_{tm}$  and the news variables.

Intuitively, the *sum-then-purge* approach constitutes an *imperfect* orthogonalization, as the aggregation of surprises within a month is projected onto the information set available before the first announcement, leaving subsequent predictable information untouched ( $\mathbf{X}_{2-m}, \dots, \mathbf{X}_{T_m-m}$ ) and potentially also contaminating the purging of the first announcement. In fact, the two approaches coincide only if the first-announcement news vector fully spans every later-announcement information, leaving no extra predictable component to purge. The following example provides a simple illustration.

**Illustration: Two-Announcement Month** Without loss of generality, I restrict the exposition to a single news variable ( $k = 1$ ); the multivariate extension is straightforward. Consider the simple case of a month  $m$  with two announcements, close in spirit to the case-study of October 2008 considered earlier:

$$\text{MPS}_{1m} = \beta X_{1-m} + u_{1m}, \quad \text{MPS}_{2m} = \beta X_{2-m} + u_{2m} \quad (10)$$

Purge-then-sum delivers

$$\tilde{z}_m = (\text{MPS}_{1m} - \beta X_{1-m}) + (\text{MPS}_{2m} - \beta X_{2-m}) = u_{1m} + u_{2m}, \quad \mathbb{E}[\tilde{z}_m \mid \Omega_{m-1}] = 0 \quad (11)$$

Sum-then-purge delivers

$$z_m = \text{MPS}_m - \gamma X_{1-m} \quad \mathbb{E}[z_m \mid \Omega_{m-1}] = 0 \quad (12)$$

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<sup>14</sup>Note that equation (6) is the same event-level regression estimated by BS (Table 1, p. 105).

$$\text{with } \text{MPS}_m = \beta X_{1-m} + \beta X_{2-m} + (u_{1m} + u_{2m}),$$

where OLS estimates

$$\gamma = \frac{\text{Cov}(\text{MPS}_m, X_{1-m})}{\text{Var}(X_{1-m})} = \beta + \beta \frac{\text{Cov}(X_{2-m}, X_{1-m})}{\text{Var}(X_{1-m})} \equiv \beta + \beta\rho.$$

Note that for *either* approach  $\mathbb{E}[z_m, \tilde{z}_m \mid \Omega_{m-1}] = 0$ , making them both *exogenous* monthly instruments. However, plugging  $\gamma$  in  $z_m$  yields

$$\begin{aligned} z_m &= [\beta X_{1-m} + \beta X_{2-m} + (u_{1m} + u_{2m})] - (\beta + \beta\rho) X_{1-m} \\ &= \tilde{z}_m + \beta [X_{2-m} - \rho X_{1-m}] \end{aligned} \quad (13)$$

so  $z_m$  retains a predictable component unless  $\beta = 0$  (no predictability to start with) or  $X_{2-m} \equiv \rho X_{1-m}$  (the second-announcement information is fully spanned by first-announcement), both found to be empirically implausible.<sup>15</sup>

## IV.II Implications for Impulse Responses & Macroeconomic Inference

To connect the instrument decomposition to the estimation of impulse responses, consider the reduced form obtained by projecting the macro outcome  $Y_{m+h}$  onto the structural monetary shock  $\varepsilon_m$  and the pre-announcement news variables, after conditioning on VAR dynamics:<sup>16</sup>

$$Y_{m+h} = \Theta_h \varepsilon_m + \Psi_{1h} X_{1-m} + \Psi_{2h} X_{2-m} + \xi_{m+h}, \quad \mathbb{E}[\xi_{m+h} \mid \Omega_{m-1}] = 0 \quad (14)$$

where  $h \in [0, H]$  is the impulse-response horizon,  $\Theta_h$  is the structural response of  $Y$  to a unit monetary policy shock — the object targeted by BS' proxy-SVAR — and  $\varepsilon_m := \sum_{t=1}^{T_m} u_{tm}$  is the sum of the event-level unpredictable components. Both news variables may influence the outcome. Because the contamination operates at the level of the instrument rather than the second-stage specification, the following result applies to the proxy-SVAR, to local projections, and to any IV estimator that uses  $z_m$  or  $\tilde{z}_m$  as an instrument for  $\varepsilon_m$ . The probability limits of the two IV estimators are:

$$\hat{\Theta}_h^{(\tilde{z})} = \Theta_h, \quad \hat{\Theta}_h^{(z)} = \Theta_h + \Psi_{2h} \beta \frac{\text{Var}[X_{2-m} - \rho X_{1-m}]}{\text{Cov}(\varepsilon_m, z_m)}. \quad (15)$$

Equation (15) says that the sum-then-purge IV estimator recovers the true impulse response  $\Theta_h$  plus a contamination term.<sup>17</sup> The bias originates from the extra term

<sup>15</sup>Full derivation in Appendix G.

<sup>16</sup>In the proxy-SVAR of Bauer and Swanson (2023a),  $Y_{m+h}$  is governed by the structural moving-average representation  $Y_{m+h} = \sum_{j=0}^h C_j \varepsilon_{m+h-j} + f(Y_{m-1}, \dots)$ , where  $C_j = \Phi^j S$ . The structural impulse response to a monetary shock at horizon  $h$  is the first column of  $C_h$ , which is  $\Theta_h$  below. Because the news variables  $X$  may forecast  $Y_{m+h}$  — whether through non-monetary shocks or direct reduced-form predictability — they enter the projection with coefficients  $\Psi_{1h}, \Psi_{2h}$ .

<sup>17</sup>Full derivation in Appendix G.III.

$\beta(X_{2-m} - \rho X_{1-m})$  in  $z_m$ , i.e., the leftover news that was not spanned by the first announcement’s variables. Because  $z_m$  retains this predictable component, it transmits the effect of later-announcement news on the outcome into the estimated impulse response.

When  $\beta$  and  $\Psi_{2h}$  share the same sign, the bias term is positive. In the setting of BS, where good economic news both predicts tighter policy ( $\beta > 0$ ) and is associated with stronger output ( $\Psi_{2h} > 0$ ), this attenuates the estimated contractionary response ( $\Theta_h < 0$ ), consistent with the discussion in BS (p. 121). The magnitude depends on how much “new information” arrives between announcements relative to the covariance between  $z_m$  and  $\varepsilon_m$ : when later-announcement news is largely independent of first-announcement news ( $\text{Var}[X_{2-m} - \rho X_{1-m}]$  is sizable relative to  $\text{Cov}(\varepsilon_m, z_m)$ ), the contamination is large; in the knife-edge case when  $X_{2-m}$  contains no new information beyond  $X_{1-m}$ , the bias vanishes.

In contrast, the fully purged instrument  $\tilde{z}_m$  identifies  $\Theta_h$ , because removing predictability at the announcement level eliminates the contaminant at the source. Thus, this provides a simple explanation for the results I have established empirically in Section V: once  $\tilde{z}_m$  is used, the bias term vanishes and the impulse-response functions flatten to statistical insignificance.

## V. Empirical Consequences

Sections 3, 4, and 5 of BS examine, respectively, (a) the predictability of monetary policy surprises; (b) its consequences for estimating the effects of monetary policy on asset prices; and (c) its consequences for the macroeconomy.<sup>18</sup> This section revisits all of these empirical results in light of the issues uncovered in the previous sections and reassesses their interpretation through that lens.

### V.I Announcement-level Predictability

Section 3 introduces two *surprise* measures: a conventional one (MPS), and its orthogonalized counterpart (MPS\_ORTH), which removes correlations with predictors available before the announcement.<sup>19</sup> The authors argue that both measures show significant effects on macroeconomic outcomes, although the orthogonalized surprises address endogeneity concerns and amplify such effects significantly (up to a factor of 4). The orthogonalized instruments are constructed by taking the resid-

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<sup>18</sup>Throughout, I use Arabic numerals for BS sections/displays, Roman numerals for this paper.

<sup>19</sup>The predictability results may depend on how the predictors are constructed. Acosta (2022) shows that the contribution of the pre-announcement S&P 500 return is sensitive to the choice of nearby aggregation window. This is separate from the timing question studied here: holding fixed the BS predictor set, the present note asks whether orthogonalization should be applied after monthly aggregation or at the announcement level before aggregation.

uals of OLS regressions of  $MPS$  on a series of predictors, as per BS equation (14). Following up on previous studies (Cieslak (2018), Bauer and Swanson (2023b)), the authors focus on six macrofinancial variables known to predict estimated surprises. Table 1 in BS summarizes these regressions, which I replicate exactly in Table III, confirming the first step in the construction of  $MPS\_ORTH$ .

**Table III:** Predictive Regressions Using Macroeconomic and Financial Data

	(1)	(2)	(3)
Nonfarm payrolls	0.094 (2.399)	0.113 (1.944)	0.082 (1.759)
Employment growth (12m)	0.005 (2.121)	0.004 (1.380)	0.005 (1.196)
$\Delta \log$ S&P 500 (3m)	0.084 (1.431)	0.112 (1.553)	0.154 (1.912)
$\Delta$ Slope (3m)	-0.010 (-1.377)	-0.010 (-1.134)	-0.011 (-1.018)
$\Delta \log$ Comm. Price (3m)	0.119 (2.353)	0.093 (1.436)	0.224 (3.431)
Treasury skewness	0.032 (2.983)	0.035 (2.869)	0.050 (2.092)
Constant	-0.011 (-2.319)	-0.009 (-1.714)	-0.021 (-2.558)
$R^2$	0.162	0.173	0.192
Sample	1988:02–2019:12	1994:01–2019:12	1988:02–2007:06
N	322	218	216
Policy surprise	mps	mps	mps

*Notes:* Coefficient estimates  $\beta$  from regressions  $mps_t = \alpha + \beta' \mathbf{X}_t + u_t$ , where  $t$  indexes FOMC announcements. Columns use BS (2023a)' baseline monetary policy surprise. Predictors are observed prior to the announcement: the surprise component of the most recent nonfarm payrolls release, employment growth over the last year, the log change in the S&P 500 index from 3 months before to the day before the FOMC announcement, the change in the yield curve slope over the same period, the log change in a commodity price index over the same period, and the option-implied skewness of the 10-year Treasury yield from Bauer and Chernov (2024). Heteroskedasticity-consistent t-statistics in parentheses.

Section 4 formalizes the construction of orthogonalized surprises (per BS eq. (16)) and compares the effects of unadjusted and adjusted monetary surprises on a set of financial assets — BS equation (15). The results are reported in BS Table 3, which I replicate exactly in Table IV. This confirms that the first stage in the construction of the External-IV SVAR is correct. At the announcement level, the two procedures are indistinguishable: both target the same event-level residual. The divergence between  $z_m$  and  $\tilde{z}_m$  begins when event-level surprises are aggregated to the monthly frequency. The two monthly series use the same regressors and differ only in the timing of orthogonalization; they remain closely aligned overall (correlation 0.93), and especially so in single-announcement months (0.98), but

diverge in multi-announcement months (0.81) — precisely where the information sets differ by construction (Figure A.1; Table A.1).<sup>20</sup> If the correction merely added noise, divergences would be uniform across months. Appendix A provides a detailed comparison.

**Table IV:** Asset Price Responses to Monetary Policy Surprises

Series	mps <sub>t</sub>			mps <sub>t</sub> <sup>⊥</sup>		
	Coef.	<i>t</i> -stat	<i>R</i> <sup>2</sup>	Coef.	<i>t</i> -stat	<i>R</i> <sup>2</sup>
2-year yield	.73	(18.5)	.783	.74	(16.6)	.689
5-year yield	.63	(14.4)	.626	.64	(13.8)	.550
10-year yield	.41	(9.5)	.436	.41	(9.9)	.363
30-year yield	.25	(6.3)	.206	.25	(6.7)	.173
S&P 500	-5.44	(-7.7)	.284	-5.57	(-6.6)	.249
Observations	322			322		

*Note:* Estimated coefficients  $\beta$  and regression  $R^2$  from high-frequency event-study regressions  $y_t = \alpha + \beta \text{mps}_t + u_t$ , where  $t$  indexes FOMC announcements,  $y_t$  denotes the change in the 2-, 5-, 10-, or 30-year Treasury yield or log S&P (Standard & Poor’s) 500 price index in a narrow window of time around each announcement, and the regressor  $\text{mps}_t$  is either the unadjusted high-frequency monetary policy surprise measure  $\text{mps}_t$  or its orthogonalized residual  $\text{mps}_t^\perp$  from regressing  $\text{mps}_t$  on the predictors in Table 1. Heteroskedasticity-consistent  $t$ -statistics are in parentheses. Sample: 1988:02–2019:12.

## V.II Impulse Responses

Section 5 in BS offers an empirical panorama of results that aim to capture the effects of monetary policy on the macroeconomy. In particular, it employs a spectrum of methodologies including External IV SVAR (5.A), LP methods (5.B) internal IV SVAR (5.C), and others, concluding with the summarized best practices for monetary analysis (5.E). This section focuses on revisiting 5.A and 5.E, comparing BS’ proposed orthogonalized monetary surprises with the same object obtained with an alternative orthogonalization scheme; the same issue affects each other empirical approach as well, which I revisit in subsection V.III.

I now turn to one of the main research questions BS aim to answer: how much difference does orthogonalizing the high-frequency surprises make for estimating the effects of monetary policy on the economy? Figure 3 in the paper answers this question by demonstrating that the responses of all variables to MPS\_ORTH “are all larger [...] by a factor of about four” in an External IV SVAR. The alternative approach I propose — which removes the later-announcement predictable component characterized in Section IV — fails to replicate these findings.

Figure III and IV reproduce the left and the right columns of Figure 3 in BS.

<sup>20</sup>The two instruments need not coincide exactly even in single-announcement months; see Appendix C.

Figure III uses the unadjusted surprise series (MPS), and shows exact replication; Figure IV uses the announcement-level orthogonalized series to address the predictability of the unadjusted series, and by doing so “[...] provide[s] better estimates of monetary policy’s true effects on macroeconomic variables”. Conventional bands show no statistically detectable responses for the orthogonalized series. Variations of VAR specifications (number of lags, deterministic component, data transformations) yield analogous findings.

Investigating the stark differences, the conventional estimates become uninformative because of the almost complete loss of statistical power (*relevance*) of the instrument: the adjusted series’ first-stage F-statistic collapses from 10.2 to 0.1, well below any conventional weak-instrument threshold.<sup>21</sup> The corrected measure has essentially no predictive power for the baseline two-year Treasury yield (and similarly for all other interest rates measures), so the BS-style design no longer delivers statistically informative macroeconomic responses.<sup>22</sup>

The mechanism test reported in Section III.I confirms the origin of this relevance loss: later-announcement predictors are jointly significant for the BS monthly series, and vanish once the orthogonalization is moved to the announcement level.

### V.III Robustness: LP, internal IV, and additional specifications

While some of the results are not directly replicable due to the absence of Fed Chairs speeches from the available replication package referenced above, I reproduce all the other figures in the paper (Fig. 4 — richer external IV SVAR; Fig. 5 — local projections; Fig. 6 — internal IV SVAR; Fig. 8 — “best practices” specification, see below), and confirm the absence of recognizable effects reported in Figure IV.<sup>23,24</sup>

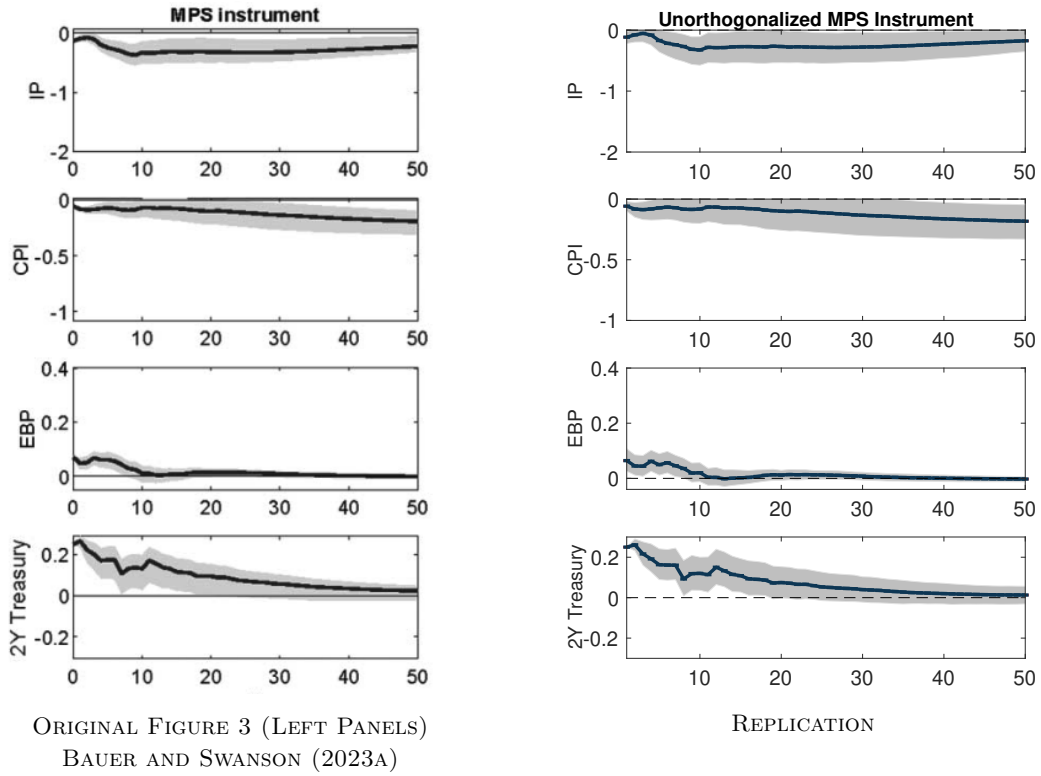
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<sup>21</sup>For a formal overview of weak-instrument critical values in linear IV, see Olea and Pflueger (2013). Lewis and Mertens (2026) develop IRF-specific diagnostics for weak-instrument bias and show that conventional first-stage thresholds are even too permissive for impulse response applications. I report conventional bands for comparability with BS, evidence that would be reinforced using their weak-instrument-robust thresholds.

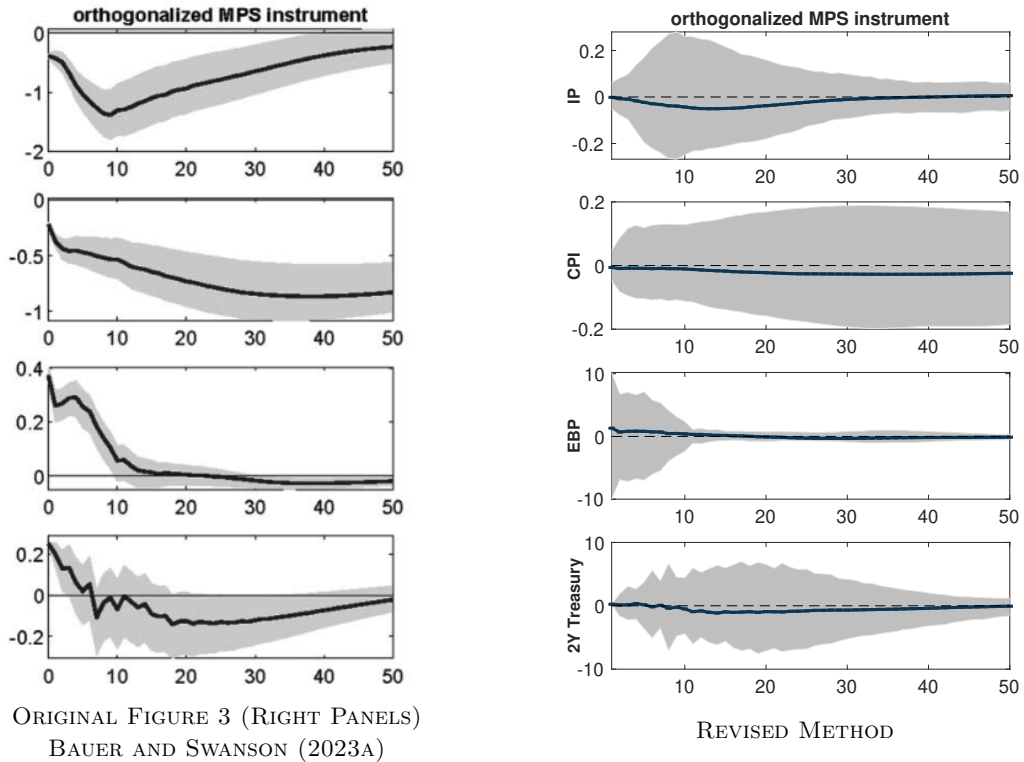
<sup>22</sup>Appendix D reports an extension through 2023. Using the publicly updated BS surprise series and current official updates of the same macro series definitions, the longer sample strengthens all proxies, including the corrected one, but leaves the corrected proxy similarly weaker.

<sup>23</sup>Quoting from the downloadable spreadsheet: “*This spreadsheet contains data only for the FOMC announcements, and excludes data for the Fed Chairs speeches and other types of monetary policy announcements (FOMC minutes releases, speeches by the Vice Chair).*” No public ready-to-use historical Fed-chair-speech surprise dataset is currently available, although official FRBSF pages now provide broader related communication-event data.

<sup>24</sup>Appendix E reports the feasible local-projection analogue, i.e. excluding FOMC speeches (closest to Figure C.1 in an older BS draft).



**Figure III:** Comparison between Proxy SVAR IRFs to a 25bp policy shock identified using the unadjusted high-frequency MPS measure. Left: original Bauer and Swanson (2023a) Figure 3 (Left Panels); Right: Replication. Sample: 1973:01–2020:02. Lags: 12. Bootstrapped 90% SE bands. EBP = excess bond premium, CPI = Consumer Price Index, IP = ind. production.



**Figure IV:** Comparison between Proxy SVAR IRFs to a 25bp policy shock identified using the unadjusted high-frequency MPS\_ORTH measure. Left: original Bauer and Swanson (2023a) Fig. 3 (Right Panels); Right: Revised Method. Sample: 1973:01–2020:02. Lags: 12. Bootstrapped 90% SE bands. EBP = bond premium, CPI = Consumer Price Index, IP = ind. production.

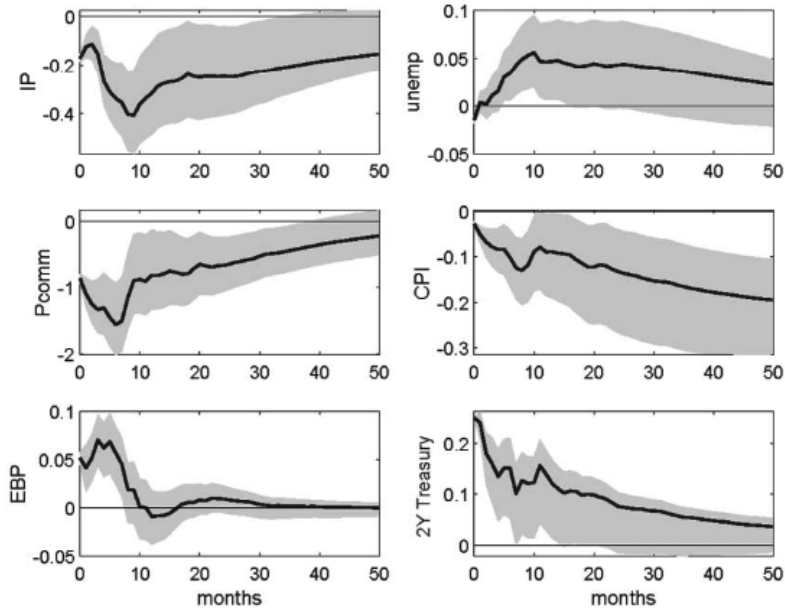
Finally, Figure V reproduces arguably the most important result in the paper, depicted in Figure 8, i.e., the “*best practice estimates of structural VAR*”. Figure VA reports the original Figure 8 in BS verbatim for comparison, while Figure VB independently reproduces the results. The main difference with respect to Figure 3 is in the presence of two extra variables in the system: unemployment and an index of commodity prices. Note that this is one instance where the *exact* replication is not possible because the replication data do not include Fed chair speeches among the high-frequency surprise events. The exercise reported here therefore differs from the original only in the absence of those additional events; it therefore represents the closest feasible approximation based on currently available public data.

Focusing on Panel (B) of Figure V, we notice again that the announcement-level orthogonalized surprises show no statistically detectable responses in macroeconomic aggregates under conventional bands, and again see a significant loss in instrumental strength (F-statistic = 0.5).

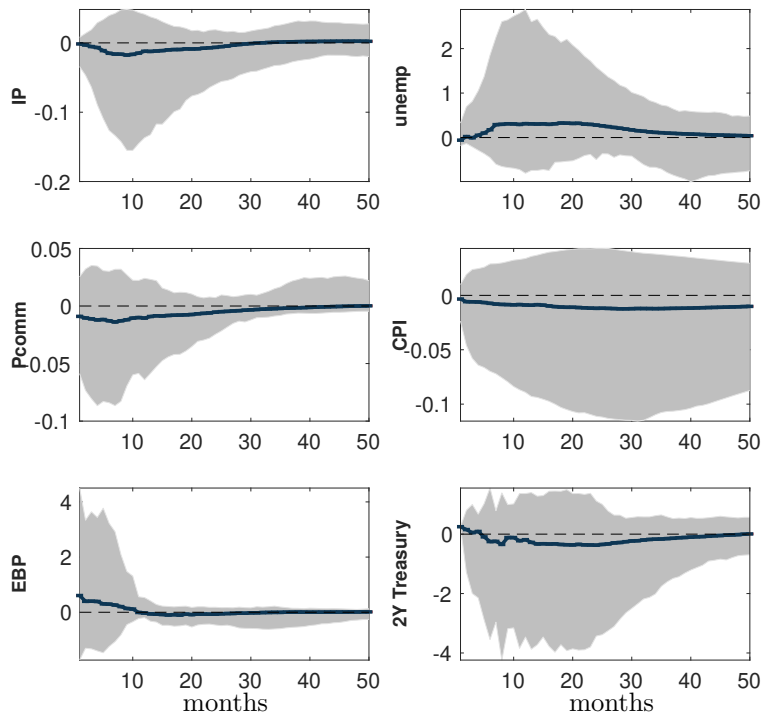
Under the announcement-level purged instrument, the orthogonalized monetary surprises yield no statistically significant effects on the macroeconomy through their impact on interest rates, much less the four-times-larger responses on macroeconomic aggregates reported by BS.<sup>25</sup> Appendices D and E show that this pattern is not confined to the baseline Figure 3 exercise. Extending the sample through 2023 strengthens all proxies but leaves the corrected proxy materially weaker; the feasible public-data analogues to the broader BS exercises (local projections, internal-instrument recursive SVAR) yield the same qualitative weakening.

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<sup>25</sup>Qualitatively analogous results hold for the 1-year Treasury and the Fed Funds Rate. For instance, using the 1-year yield (Gertler and Karadi (2015)) raises the corrected instrument’s F-statistic from 0.1 to 0.5, still far below conventional relevance thresholds.



(A) ORIGINAL BAUER AND SWANSON (2023A) FIGURE 8



(B) REVISED METHOD

**Figure V:** “Best practice” estimates of Proxy SVAR IRFs to a 25bp policy shock identified using adjusted high-frequency measure (MPS\_ORTH). Sample: 1973:01–2020:02. Lags: 12. Bootstrapped 90% SE bands. EBP = bond premium, CPI = Consumer Price, unemp = unemployment, Pcomm = commodity prices, IP = ind. production.<sup>26</sup>

<sup>26</sup>Uneven widening of the confidence bands is compatible with weak-instrument theory.  $\text{Var}(\hat{\Theta}_h) \approx \sigma_{Y,h}^2 / (N\pi^2)$  with  $\pi$  the first-stage slope. Heteroskedastic  $\sigma_{Y,h}^2$  makes the blow-up uneven across variables.

## VI. Concluding Remarks

The instrumental power of the monthly orthogonalized Bauer and Swanson (2023a) monetary surprise originates in 31 multi-announcement months — eight percent of the baseline sample. Single-announcement months contribute no measurable interest rate response. A formal decomposition shows why: by summing within-month surprises before orthogonalizing against first-announcement predictors (*sum-then-purge*), the BS procedure retains a component of later-announcement surprises that is predictable from news arriving between meetings. That leftover predictable component inflates the first stage and contaminates the impulse responses. The timing flaw and the multi-announcement-month concentration are therefore not two separate findings but one: the months where the two orthogonalization procedures diverge are exactly the months that drive the instrument’s strength.

Moving the orthogonalization to the announcement level — *purge-then-sum* — removes this predictable variation and, with it, the instrument’s statistical relevance. First-stage F-statistics collapse from 10.2 to 0.1, and the four-times-larger macroeconomic responses reported by BS vanish across proxy-SVAR, local projection, and internal-IV specifications. Three cross-checks corroborate the diagnosis: the two monthly series are nearly identical in single-announcement months but diverge sharply in multi-announcement months; later-announcement predictors remain jointly significant for the monthly BS series; and the direct later-announcement component accounts for most of the covariance gap.

For monthly instruments built from high-frequency surprises, orthogonalization timing is part of the identifying design. The distinction is most consequential in the episodes where announcement clustering is economically salient — crisis interventions, emergency meetings, inter-meeting actions — which are precisely the episodes that supply the instrument’s spurious statistical power.

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## Appendix

### A. Direct comparison of the monthly orthogonalized instruments

To address the concern that the corrected series may depart from the BS procedure only because of additional introduced noise, this exercise directly compares the monthly orthogonalized series of Bauer and Swanson (2023a), `MPS_ORTH`, with the purge-then-sum series. The two measures are constructed from the same predictors set and differ only in the timing of the orthogonalization.

Using the baseline monthly sample 1988:02–2020:02, the overall correlation between the two series is 0.93. In months with a single announcement, the correlation is 0.98 and the mean absolute difference is 0.009. In months with two or more announcements, the correlation falls to 0.80 and the mean absolute difference rises to 0.038. The largest absolute discrepancies occur in 1989:02, 1991:12, and 2008:10, with absolute differences of 0.179, 0.145, and 0.080, respectively. The economically meaningful divergences are therefore concentrated in the months where the relevant information sets differ by construction, rather than being spread uniformly across the sample as one would expect from a purely noisy implementation change.

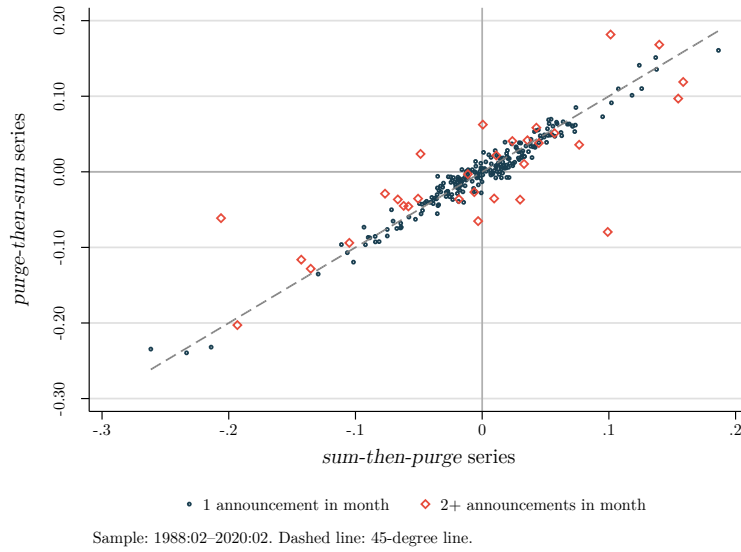
**Table A.1:** Comparison of monthly orthogonalized surprise measures

Sample	Observations	Correlation	Mean abs. difference	Same-sign share
All event months	269	0.932	0.012	0.900
1 announcement months	238	0.978	0.009	0.903
2+ announcement months	31	0.805	0.038	0.871

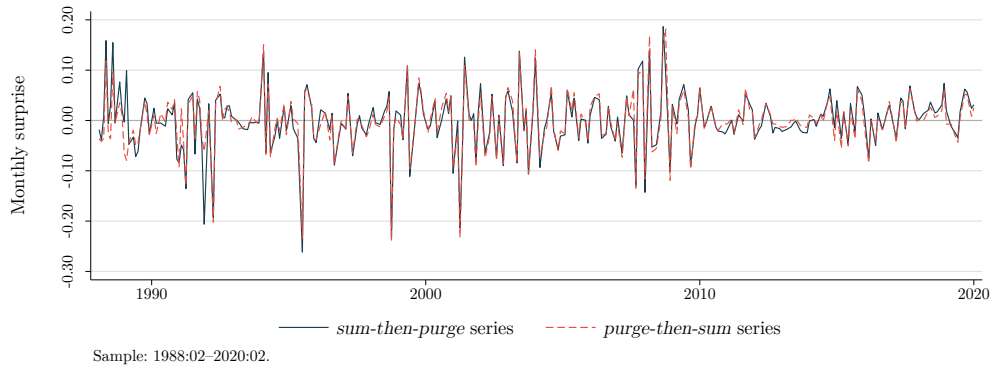
*Notes:* The table compares the monthly orthogonalized series of Bauer and Swanson (2023a) (`MPS_ORTH`) with the announcement-level orthogonalized series over 1988:02–2020:02. The same-sign share is the fraction of months in which the two measures have the same sign.

Figure A.1 visualizes the comparison in Table A.1. Panel (A) shows that the two monthly IVs lie close to the 45-degree line in most observations, with the largest departures concentrated in multi-announcement months. Panel (B) shows the same comparison over time and makes clear that the discrepancies (which exist throughout) are mostly evident around specific episodes rather than pervasive. Together, the two panels reinforce the interpretation that the two series are usually close, but diverge systematically precisely when within-month information sets differ.

### SCATTER COMPARISON

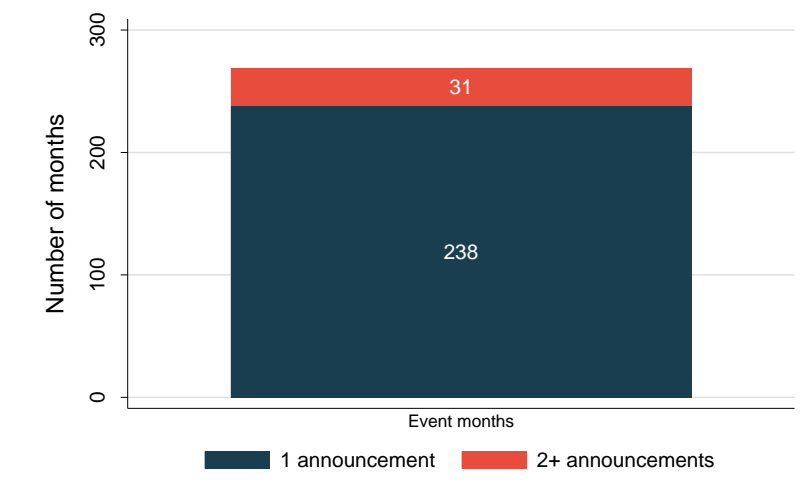


### PANORAMIC TIME-SERIES OVERLAY



**Figure A.1:** Direct comparison between the BS orthogonalized series and the purge-then-sum series. Panel (A) plots the two monthly IVs against each other; blue circles denote months with one announcement and red diamonds denote months with two or more announcements. Panel (B) overlays the two monthly series over time. The light gray band in Panel (B) denotes the gap between the two series. Sample: 1988:02–2020:02.

**Distribution of announcements per month** Figure A.2 offers a visual summary of the number of monetary policy announcements per month in the updated BS announcement file with a single stacked bar, separating months with one announcement from months with at least two announcements.



**Figure A.2:** Stacked-bar summary of monetary policy announcements per month in the updated BS announcement file. The figure counts event months from 1988:02 to 2020:02.

Among the total 269 event months, 31 contain at least two announcements, 36 contain at least one unscheduled event, and the maximum number of announcements in a month is seven (May 1988).

### A.I Quantitative decomposition

This appendix quantifies how much of the monthly gap  $z_m - \tilde{z}_m$  comes directly from later-announcement information, and how much comes from the change in projection coefficients induced by monthly aggregation. With a constant absorbed into  $\mathbf{X}_{t-m}$ , the exact sample identity is

$$z_m - \tilde{z}_m = \sum_{t=2}^{T_m} \hat{\beta}' \mathbf{X}_{t-m} + \left( \hat{\beta}' \mathbf{X}_{1-m} - \hat{\gamma}' \mathbf{X}_{1-m} \right). \quad (\text{A.1})$$

The first term is the *direct* later-announcement component. The second is the *projection-coefficient* component: the same first-announcement information is fitted differently under the event-level and monthly projections. In single-announcement months, the direct term is zero by construction, but the projection-coefficient component can still generate a gap between the two monthly IVs.

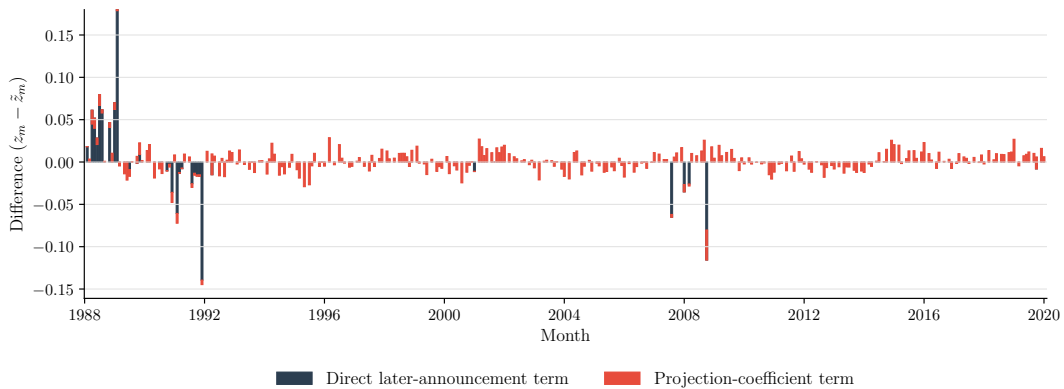
Table A.2 reports the main magnitudes. The mean absolute gap is 1.23 basis points across event months, but this average hides a sharp split: 0.89 basis points in single-announcement months versus 3.82 basis points in months with at least two announcements. In multi-announcement months, the direct term dominates quantitatively: its mean absolute contribution is 3.99 basis points, compared with 0.77 basis points for the projection-coefficient term. The covariance decomposition tells the same story: adding back the direct term closes 77.4% of the covariance

gap between the two series, while adding back the projection-coefficient term closes the remaining 22.6%.

**Table A.2:** Quantitative decomposition of the gap between monthly IVs

Sample	Months	Mean  direct	Mean  projection	Mean $ z_m - \tilde{z}_m $
All months	385	0.0032	0.0061	0.0086
Event months	269	0.0046	0.0088	0.0123
1 announcement month	238	0.0000	0.0089	0.0089
2+ announcement months	31	0.0399	0.0077	0.0382

*Notes:* The table reports mean absolute values of the two terms in equation (A.1). Units are the same as in the monthly IV series, so 0.01 corresponds to one basis point. The direct term is identically zero in single-announcement months. Let  $d_m$  and  $p_m$  denote the direct and projection-coefficient terms. Then  $\text{Cov}(z, \tilde{z}) = 0.00215$ ,  $\text{Cov}(z, \tilde{z} + d) = 0.00234$ ,  $\text{Cov}(z, \tilde{z} + p) = 0.00221$ , and  $\text{Var}(z) = 0.00240$ . Normalizing each covariance gain by  $\text{Var}(z) - \text{Cov}(z, \tilde{z})$  attributes 77.4% of the covariance gap to the direct term and 22.6% to the projection-coefficient term.



**Figure A.3:** Chronological decomposition of the monthly gap between MPS\_ORTH and the announcement-level purge-then-sum IV. Each bar stacks the direct later-announcement term and the projection-coefficient term, so the total height equals  $z_m - \tilde{z}_m$ . Sample: 1988:02–2020:02 event months.

Figure A.3 visualizes the decomposition. Most bars contain only the red projection-coefficient component because 238 of the 269 event months contain a single announcement, so the direct term is zero by construction. The blue spikes appear only in the small set of multi-announcement months, exactly where later-announcement information can enter the monthly BS measure directly. Overall, the monthly gap is driven mainly by later-announcement information within multi-announcement months, with a smaller but nonzero spillover to all months through the monthly first-announcement projection.

## A.II Narrative analysis of large-discrepancy months

The main text already discusses July 1988 and October 2008, two months in which the information set changes sharply between the first and later announcements. Two additional high-gap months show the same mechanism outside those episodes. In 1989:02, the BS file contains five announcements, four of them unscheduled. The payroll predictors are unchanged throughout the month, but several financial predictors move materially between the first and last announcement: the 3-month S&P 500 return rises from 0.078 to 0.092, the 3-month slope change from  $-0.889$  to  $-0.574$ , and the 3-month commodity-price change from 0.035 to 0.062. In that month, `MPS_ORTH` equals 9.9 basis points, whereas the announcement-level purge-then-sum series equals  $-8.0$  basis points, so the two measures even differ in sign.

December 1991 provides a similar example without a sign reversal. The month contains four announcements, three unscheduled, including two on December 20. Between the first and last announcement, the 3-month slope change rises from 0.488 to 0.668 and the 3-month commodity-price change falls from  $-0.010$  to  $-0.068$ , while the payroll predictors again remain unchanged. In that month, `MPS_ORTH` equals  $-20.6$  basis points, compared with  $-6.1$  basis points for the announcement-level series. Thus, even when the two measures point in the same direction, the stale first-announcement information set can still substantially magnify the monthly orthogonalized series.

Taken together with July 1988 and October 2008 in Section IV, these episodes cover four of the five largest absolute baseline discrepancies between the two monthly IVs. The common pattern is that the two procedures diverge most in months with multiple announcements and meaningful within-month changes in the predictor vector, which is exactly the timing channel emphasized in this paper.

## B. Direct mechanism test using later-announcement information

I restrict attention to months with at least two announcements and estimate

$$\text{MPS\_ORTH}_m = \alpha + \Gamma' X_{tm} + u_{tm}, \quad t = 2, \dots, T_m, \quad (\text{B.1})$$

where  $X_{tm}$  is the vector of BS predictors observed immediately before later announcement  $t$  in month  $m$ . This regression asks whether the monthly BS orthogonalized series remains predictable from information that arrives after the first announcement of the month.<sup>27</sup> If the BS procedure fully removed same-month

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<sup>27</sup>Because the dependent variable is monthly while the predictors vary across later announcements, the monthly observation is repeated for each later announcement and standard errors are clustered by month. Unreported versions that weight each multi-announcement month equally by  $1/(T_m - 1)$  are slightly stronger.

predictability, the later-announcement predictor block should not be jointly significant. Table B.1 rejects that implication: later-announcement information significantly predicts the monthly BS series, both on its own and conditional on the first-announcement predictor vector  $X_{1m}$ .

**Table B.1:** Direct mechanism test: later-announcement predictability of BS MPS\_ORTH

	Dependent variable: monthly BS MPS_ORTH	
	(1)	(2)
Nonfarm payroll surprise	0.0002 (0.0002)	0.0005*** (0.0002)
12-month payroll growth	0.0290 (0.0180)	-0.0491 (0.1519)
S&P 500 return (3m)	-0.4841** (0.1858)	-1.0355*** (0.3070)
Yield-curve slope change (3m)	-0.0182 (0.0504)	-0.0467 (0.0773)
Commodity-price change (3m)	-0.0182 (0.1663)	0.8869* (0.5057)
Treasury skewness	0.0535 (0.0623)	-0.3062 (0.1952)
First-announcement predictors $X_{1m}$	No	Yes
Joint $F$ -test on later-announcement block	3.36	7.00
$p$ -value	0.012	< 0.001
$R^2$	0.462	0.683
Later-announcement observations	56	56
Underlying multi-announcement months	31	31

*Note:* Sample ends in 2020:02. The table restricts attention to months with at least two announcements and stacks later-announcement observations within those months. Column (1) regresses the monthly BS orthogonalized series on the later-announcement predictor vector. Column (2) additionally includes the first-announcement predictor vector, whose coefficients are omitted for brevity. Heteroskedasticity-robust standard errors clustered by month are in parentheses. \* $p < 0.10$ , \*\* $p < 0.05$ , \*\*\* $p < 0.01$ .

### C. Why the IVs Differ in Single-Announcement Months

This paper clarifies a point that may appear puzzling at first glance. In a month with exactly one announcement, the raw surprise is the same object in both constructions, and the predictor vector observed before that announcement is also the same. It is therefore natural to wonder why the two orthogonalized monthly series need not coincide in such months.

The key is that an OLS residual is not determined only by the current observation. It is determined by the current observation together with the coefficient vector estimated from the whole regression. For a single-announcement month  $m$ , let the raw surprise be  $\text{MPS}_{1m}$  and the pre-announcement predictor vector be  $X_{1-m}$ .

Then the announcement-level purge-then-sum series is

$$\tilde{z}_m = \text{MPS}_{1m} - \hat{\beta}' X_{1-m},$$

while the Bauer–Swanson monthly series is

$$z_m = \text{MPS}_{1m} - \hat{\gamma}' X_{1-m}.$$

Hence, in a single-announcement month,

$$z_m - \tilde{z}_m = (\hat{\beta} - \hat{\gamma})' X_{1-m}.$$

So equality in that month requires not only the same raw surprise and the same predictor vector, but also the same fitted coefficient vector.

This is precisely where the full-sample difference enters. The event-level coefficients  $\hat{\beta}$  are estimated from a regression with one observation per announcement. By contrast, the monthly coefficients  $\hat{\gamma}$  are estimated from a regression with one observation per month, where multi-announcement months are collapsed into “sum of surprises on the left-hand side, first-announcement predictors on the right-hand side.” Those multi-announcement months affect the fitted monthly projection and therefore shift  $\hat{\gamma}$ . That shift then spills over to all months, including months with only one announcement. Put differently, the same point can have different residuals when evaluated against two different fitted lines.

The common intuition can therefore be restated as follows. In a single-announcement month, the left-hand side is indeed the same raw surprise, and the right-hand side is indeed the same predictor vector. If the coefficient vector were held fixed, or if both regressions were re-estimated on a sample containing only single-announcement months, the residuals would coincide. But that is not the comparison implemented in the paper. The paper compares residuals from two different regressions, estimated on two different samples and at two different levels of aggregation. For that reason, the same left-hand side and the same right-hand side in a given month do not imply the same residual.

#### D. Sample extension to 2023

Table D.1 summarizes how first-stage strength changes when I extend the sample from the baseline period to December 2023. I stop at 2023 because that is where the currently posted BS-style public surprise spreadsheet ends; going further would require switching to a different FRBSF data product rather than extending the same public object. Since the exact macro workbook underlying the baseline VAR and local-projection exercises is not publicly posted in a matched updated form, I leave the baseline 1973:01–2020:02 sample unchanged and treat the longer sample separately, using the same public series definitions and current official updates

of the macro variables. The longer sample strengthens all proxies, including the corrected one, but the ranking is unchanged. In the proxy-SVAR, the corrected proxy’s first-stage  $F$ -statistic rises from 0.15 to 2.00, still well below 12.58 for `MPS_ORTH` and 24.26 for `MPS`. In the local-projection exercise, the corresponding weak-IV statistic rises from 0.04 to 2.20 for the corrected proxy, compared with 11.62 for `MPS_ORTH`. I therefore treat the 2023 extension as a useful appendix update rather than as a change in the paper’s main message.

**Table D.1:** Extension of first-stage strength (F-stats) through 2023

Exercise	Proxy	Baseline sample	Extended to 2023
Proxy-SVAR	<code>MPS</code>	10.19	24.26
Proxy-SVAR	<code>MPS_ORTH</code>	3.62	12.58
Proxy-SVAR	<code>MPS_ORT</code>	0.15	2.00
Local projections	<code>MPS_ORTH</code>	3.40	11.62
Local projections	<code>MPS_ORT</code>	0.04	2.20

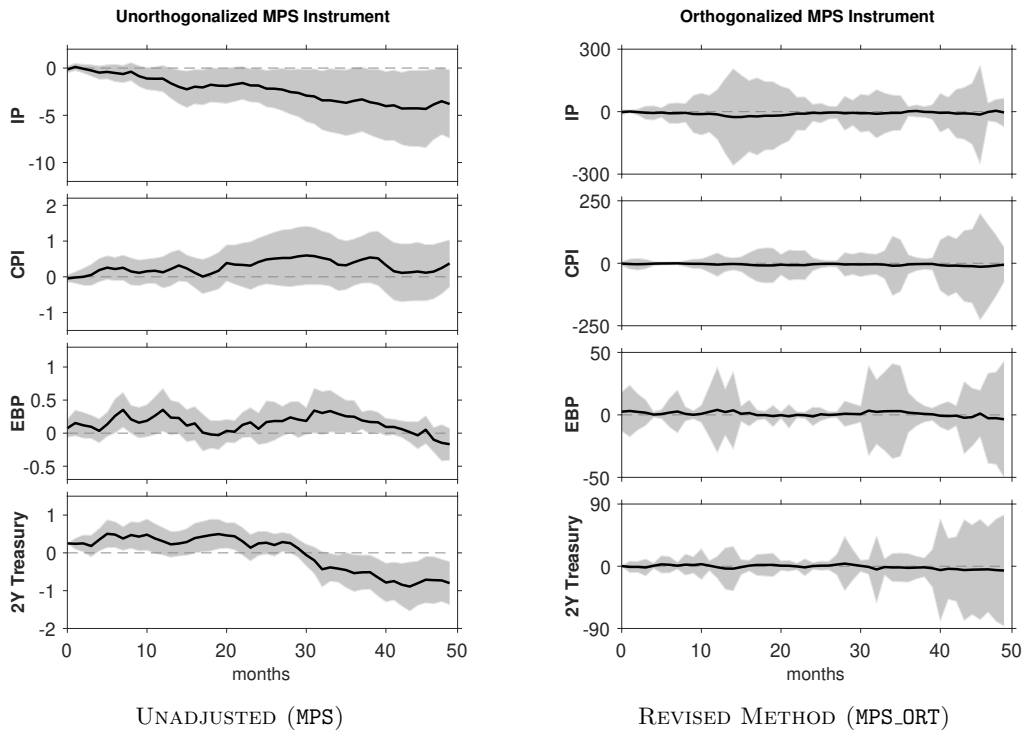
*Notes:* The baseline sample is 1973:01–2020:02. `MPS` denotes the raw unadjusted series, `MPS_ORTH` denotes the BS monthly orthogonalized proxy, and `MPS_ORT` denotes the corrected proxy. The extension uses the BS surprise series through 2023:12 together with current official updates of the same macro series definitions. It adds 46 months and 32 event months beyond 2020:02. The longer sample strengthens all proxies, including the corrected one, but the corrected proxy remains materially weaker than the BS monthly orthogonalized proxy in both exercises.

## E. Additional Replicated Results

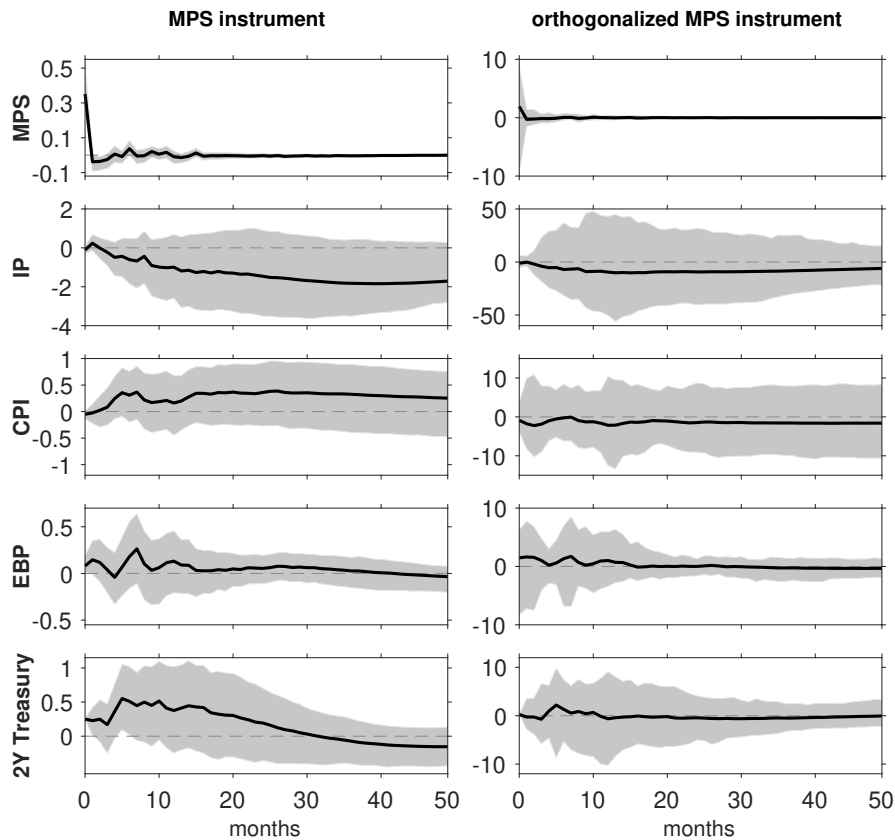
The exact replication of BS Figure 5 is not feasible because the publicly posted replication files exclude Fed Chair speeches. As a feasible substitute, Figure E.1 reports the currently available public-data FOMC-only local-projection exercise, which is the closest public analogue to BS Figure 5 and corresponds most closely to BS Appendix Figure C.1. The left panel uses the unadjusted surprise series `MPS`; the right panel replaces it with the announcement-level purge-then-sum series `MPS_ORT`. Consistent with the proxy-SVAR results in the main text, the corrected orthogonalized LP responses display no recognizable effects: the impulse responses are essentially flat relative to the confidence bands, and statistical significance disappears throughout.

The same speech-data boundary applies to BS Figure 6. Its exact published internal-instrument SVAR cannot be replicated from the public files because the posted surprise data exclude Fed Chair speeches, and the paper does not provide a corresponding no-speeches appendix figure. As a feasible substitute, Figure E.2 reports a public-data internal-instrument analogue built from the FOMC-only workbook used throughout this paper. The left panel uses the unadjusted monthly surprise series `MPS`; the right panel replaces it with the corrected announcement-level series `MPS_ORT`. Consistent with the proxy-SVAR and LP results, the corrected or-

thogonalized internal-instrument responses display no recognizable macro effects: the point estimates are largely flat relative to the confidence bands, and statistical significance disappears throughout.



**Figure E.1:** Local-projection impulse responses to a 25bp policy shock. Left: unadjusted high-frequency MPS measure (public-data FOMC-only benchmark, closest analogue to BS Figure 5 / Appendix Figure C.1). Right: announcement-level orthogonalized series MPS\_ORT. Sample: 1988:02–2020:02. Lags: 12. Shaded regions report 90% Newey–West standard-error bands. EBP = excess bond premium, CPI = Consumer Price Index, IP = ind. production.



**Figure E.2:** Recursive SVAR with internal instrument: public-data analogue to BS Figure 6. Left: unadjusted high-frequency MPS measure. Right: corrected announcement-level orthogonalized series MPS\_ORT. The instrument is included in the VAR and ordered first, following the internal-instrument approach of Plagborg-Møller and Wolf (2021b). Public-data sample: 1988:02–2019:12. The first non-missing monthly surprise in the posted workbook is 1988:02. Lags: 12. Shaded regions report bootstrapped 90% standard-error bands. EBP = excess bond premium, CPI = Consumer Price Index, IP = ind. production.

## F. Projection coefficients and policy-rule coefficients

Projection coefficients from surprise regressions need not equal structural policy-rule coefficients. Suppose

$$i_t = \phi x_t + \varepsilon_t, \quad \mathbb{E}_{t-}[i_t] = \bar{\phi} x_t. \quad (\text{F.1})$$

Then the high-frequency monetary surprise is

$$mps_t \equiv i_t - \mathbb{E}_{t-}[i_t] = (\phi - \bar{\phi})x_t + \varepsilon_t, \quad (\text{F.2})$$

so projecting  $mps_t$  on  $x_t$  gives

$$mps_t = \beta x_t + u_t, \quad \beta = \phi - \bar{\phi}. \quad (\text{F.3})$$

Thus  $\beta$  equals the policy-rule coefficient  $\phi$  only in the knife-edge case  $\bar{\phi} = 0$ ; in general it is a reduced-form predictability coefficient. The gap can be wider when omitted signals also matter: if the Fed reacts to  $w_t$  and  $w_t = \lambda x_t + \eta_t$  with  $\mathbb{E}[x_t \eta_t] = 0$ , then the surprise-projection coefficient also loads on  $(\phi_w - \bar{\phi}_w)\lambda$ .

This distinction also clarifies the decomposition of the gap between sum-then-purge and purge-then-sum. In a two-announcement month, let

$$mps_{1m} = \beta'_1 X_{1m} + u_{1m}, \quad mps_{2m} = \beta'_2 X_{2m} + u_{2m}, \quad (\text{F.4})$$

and write the linear projection of later-announcement predictors on first-announcement predictors as

$$X_{2m} = \Pi X_{1m} + \eta_{2m}, \quad \mathbb{E}[X_{1m} \eta'_{2m}] = 0. \quad (\text{F.5})$$

Projecting the monthly sum  $mps_{1m} + mps_{2m}$  on  $X_{1m}$  gives

$$\gamma = \beta_1 + \Pi' \beta_2. \quad (\text{F.6})$$

Hence

$$z_m - \tilde{z}_m = \beta'_2 X_{2m} + (\beta_1 - \gamma)' X_{1m} \quad (\text{F.7})$$

$$= \beta'_2 (X_{2m} - \Pi X_{1m}) \quad (\text{F.8})$$

$$= \beta'_2 \eta_{2m}. \quad (\text{F.9})$$

So the second term is best read as the part of later-announcement predictable variation absorbed into the monthly projection coefficient  $\gamma$ . It is a projection-coefficient effect, not automatically a structural policy-rule effect.

## G. Proofs & Derivations

### G.I Proof of equation (5)

Let  $\ddot{\mathbf{y}} = M_W \mathbf{y}$ ,  $u \equiv \ddot{\mathbf{z}}'_S \ddot{\mathbf{y}}$ ,  $v \equiv \ddot{\mathbf{z}}'_M \ddot{\mathbf{y}}$ , and recall  $\ddot{\mathbf{z}} = \ddot{\mathbf{z}}_S + \ddot{\mathbf{z}}_M$ ,  $V_S = \ddot{\mathbf{z}}'_S \ddot{\mathbf{z}}_S$ ,  $C_{SM} = \ddot{\mathbf{z}}'_S \ddot{\mathbf{z}}_M$ ,  $V_M = \ddot{\mathbf{z}}'_M \ddot{\mathbf{z}}_M$ .

*Restricted regression (3) (the pooled one-regressor specification).* By FWL,  $\hat{\beta}_{R,h}$  equals the OLS coefficient from regressing  $\dot{\mathbf{y}}$  on  $\dot{\mathbf{z}}$ :

$$\hat{\beta}_{R,h} = \frac{\dot{\mathbf{z}}'\dot{\mathbf{y}}}{\dot{\mathbf{z}}'\dot{\mathbf{z}}} = \frac{u+v}{V_S + 2C_{SM} + V_M}. \quad (\text{G.1})$$

*Partitioned regression (4).* By FWL,  $(\hat{\beta}_{1,h}, \hat{\beta}_{2,h})$  are the OLS coefficients from regressing  $\dot{\mathbf{y}}$  on  $(\dot{\mathbf{z}}_S, \dot{\mathbf{z}}_M)$ . The normal equations are

$$\begin{bmatrix} V_S & C_{SM} \\ C_{SM} & V_M \end{bmatrix} \begin{bmatrix} \hat{\beta}_{1,h} \\ \hat{\beta}_{2,h} \end{bmatrix} = \begin{bmatrix} u \\ v \end{bmatrix},$$

with solution (assuming no exact collinearity,  $V_S V_M > C_{SM}^2$ )

$$\hat{\beta}_{1,h} = \frac{V_M u - C_{SM} v}{V_S V_M - C_{SM}^2}, \quad \hat{\beta}_{2,h} = \frac{V_S v - C_{SM} u}{V_S V_M - C_{SM}^2}. \quad (\text{G.2})$$

Substitute (G.2) into  $\omega_{1,h}\hat{\beta}_{1,h} + \omega_{2,h}\hat{\beta}_{2,h}$  with  $\omega_{1,h} = (V_S + C_{SM})/(V_S + 2C_{SM} + V_M)$  and  $\omega_{2,h} = (C_{SM} + V_M)/(V_S + 2C_{SM} + V_M)$ :

$$\omega_{1,h}\hat{\beta}_{1,h} + \omega_{2,h}\hat{\beta}_{2,h} = \frac{1}{V_S + 2C_{SM} + V_M} \cdot \frac{(V_S + C_{SM})(V_M u - C_{SM} v) + (C_{SM} + V_M)(V_S v - C_{SM} u)}{V_S V_M - C_{SM}^2}.$$

Expand the numerator:

$$\begin{aligned} (V_S + C_{SM})(V_M u - C_{SM} v) + (C_{SM} + V_M)(V_S v - C_{SM} u) &= (V_S V_M - C_{SM}^2) u + (V_S V_M - C_{SM}^2) v \\ &= (V_S V_M - C_{SM}^2) (u + v). \end{aligned}$$

Therefore

$$\begin{aligned} \omega_{1,h}\hat{\beta}_{1,h} + \omega_{2,h}\hat{\beta}_{2,h} &= \frac{(V_S V_M - C_{SM}^2)(u + v)}{(V_S + 2C_{SM} + V_M)(V_S V_M - C_{SM}^2)} \\ &= \frac{u + v}{V_S + 2C_{SM} + V_M} \\ &\stackrel{(\text{G.1})}{=} \hat{\beta}_{R,h}. \quad \blacksquare \end{aligned}$$

## G.II Derivation of Equation (13)

Fix a month  $m$  with exactly two announcements. Work in the scalar case  $k = 1$  and suppress the month index where harmless. Assume the event-level predictive equation

$$\text{MPS}_{tm} = \beta X_{t-m} + u_{tm}, \quad t \in \{1, 2\}, \quad (\text{G.3})$$

with the orthogonality conditions

$$\mathbb{E}[u_{tm} \mid X_{t-m}] = 0, \quad \text{Cov}(u_{tm}, X_{1-m}) = 0 \text{ for } t = 1, 2. \quad (\text{G.4})$$

The second condition is what is needed for the monthly OLS coefficient below. Define the purge-then-sum instrument

$$\tilde{z}_m := (\text{MPS}_{1m} - \beta X_{1-m}) + (\text{MPS}_{2m} - \beta X_{2-m}). \quad (\text{G.5})$$

Define the sum-then-purge monthly surprise

$$\text{MPS}_m := \text{MPS}_{1m} + \text{MPS}_{2m}, \quad (\text{G.6})$$

and let  $z_m$  be the residual from the population linear projection of  $\text{MPS}_m$  on  $X_{1-m}$ :

$$\text{MPS}_m = \gamma X_{1-m} + z_m, \quad \gamma = \frac{\text{Cov}(\text{MPS}_m, X_{1-m})}{\text{Var}(X_{1-m})}, \quad (\text{G.7})$$

assuming  $\text{Var}(X_{1-m}) > 0$ .

**Step 1: purge-then-sum.** Substituting (G.3) into (G.5),

$$\tilde{z}_m = (\beta X_{1-m} + u_{1m} - \beta X_{1-m}) + (\beta X_{2-m} + u_{2m} - \beta X_{2-m}) \quad (\text{G.8})$$

$$= u_{1m} + u_{2m}. \quad (\text{G.9})$$

Hence purge-then-sum removes the predictable component event by event.

**Step 2: sum-then-purge.** Using (G.3),

$$\text{MPS}_m = \text{MPS}_{1m} + \text{MPS}_{2m} \quad (\text{G.10})$$

$$= (\beta X_{1-m} + u_{1m}) + (\beta X_{2-m} + u_{2m}) \quad (\text{G.11})$$

$$= \beta X_{1-m} + \beta X_{2-m} + (u_{1m} + u_{2m}). \quad (\text{G.12})$$

Compute the OLS coefficient  $\gamma$  from (G.7),

$$\gamma = \frac{\text{Cov}(\text{MPS}_m, X_{1-m})}{\text{Var}(X_{1-m})}. \quad (\text{G.13})$$

Insert (G.12):

$$\text{Cov}(\text{MPS}_m, X_{1-m}) = \text{Cov}(\beta X_{1-m} + \beta X_{2-m} + (u_{1m} + u_{2m}), X_{1-m}) \quad (\text{G.14})$$

By (G.4),  $\text{Cov}(u_{1m} + u_{2m}, X_{1-m}) = 0$ , so

$$\gamma = \beta + \beta \frac{\text{Cov}(X_{2-m}, X_{1-m})}{\text{Var}(X_{1-m})}. \quad (\text{G.15})$$

Define

$$\rho := \frac{\text{Cov}(X_{2-m}, X_{1-m})}{\text{Var}(X_{1-m})}. \quad (\text{G.16})$$

Then

$$\gamma = \beta + \beta\rho = \beta(1 + \rho). \quad (\text{G.17})$$

**Interpretation of  $\rho$ .** The quantity  $\rho$  is the slope coefficient in the population linear projection of  $X_{2-m}$  on  $X_{1-m}$  (in the mean-zero representation):

$$\Pi(X_{2-m} \mid X_{1-m}) = \rho X_{1-m}. \quad (\text{G.18})$$

Therefore  $X_{2-m} - \rho X_{1-m}$  is the projection residual, i.e. the component of second-announcement information not linearly spanned by first-announcement information.

**Step 3: substitute  $\gamma$  back into  $z_m$ .** From (G.7) and (G.12),

$$z_m = \text{MPS}_m - \gamma X_{1-m} \quad (\text{G.19})$$

$$= [\beta X_{1-m} + \beta X_{2-m} + (u_{1m} + u_{2m})] - (\beta + \beta\rho) X_{1-m}. \quad (\text{G.20})$$

Now distribute and cancel the common term  $\beta X_{1-m}$ :

$$z_m = (u_{1m} + u_{2m}) + \beta X_{2-m} - \beta\rho X_{1-m} \quad (\text{G.21})$$

$$= (u_{1m} + u_{2m}) + \beta(X_{2-m} - \rho X_{1-m}). \quad (\text{G.22})$$

Using (G.9),

$$z_m = \tilde{z}_m + \beta(X_{2-m} - \rho X_{1-m}). \quad (\text{G.23})$$

which is the desired decomposition.

**What exactly remains in  $z_m$ ?** Equation (G.23) shows that sum-then-purge equals purge-then-sum plus the projection residual from second-announcement information. Thus:

- if  $\beta = 0$ , there is no event-level predictability and the two instruments coincide;
- if  $X_{2-m} = \rho X_{1-m}$  almost surely, then second-announcement information is fully spanned by first-announcement information and the two instruments coincide;
- otherwise  $z_m \neq \tilde{z}_m$ , and  $z_m$  retains the unpurged component  $\beta(X_{2-m} - \rho X_{1-m})$ .

### G.III Derivation of the bias equation

This appendix derives the probability limit of the estimator in equation (15) under the convention of Bauer and Swanson (2023a)<sup>28</sup>:  $\varepsilon_m$  is a latent structural shock, and  $z_m, \tilde{z}_m$  are candidate instruments for  $\varepsilon_m$ . Throughout,  $\kappa := \text{Cov}(\varepsilon_m, z_m)$  denotes the covariance that appears in the bias formula.

All objects are defined in Section IV.I:  $k = 1$ , two announcements per month. From (13), the corrected purge-then-sum instrument is  $\tilde{z}_m = u_{1m} + u_{2m}$ , and the sum-then-purge instrument is  $z_m = \tilde{z}_m + \beta \eta_m$ , where

$$\eta_m := X_{2-m} - \rho X_{1-m} \quad (\text{G.24})$$

is the innovation in the second-announcement news beyond what is linearly spanned by the first.<sup>29</sup> The outcome at horizon  $h$  follows

$$Y_{m+h} = \Theta_h \varepsilon_m + \Psi_{1h} X_{1-m} + \Psi_{2h} X_{2-m} + \xi_{m+h}, \quad \mathbb{E}[\xi_{m+h} \mid \Omega_{m-1}] = 0. \quad (\text{G.25})$$

**The numerator:**  $\text{Cov}(Y_{m+h}, z_m)$ . Substituting (G.25):

$$\text{Cov}(Y_{m+h}, z_m) = \Theta_h \text{Cov}(\varepsilon_m, z_m) + \Psi_{1h} \text{Cov}(X_{1-m}, z_m) + \Psi_{2h} \text{Cov}(X_{2-m}, z_m).$$

I evaluate each remaining covariance in turn. First,  $\text{Cov}(X_{1-m}, z_m) = 0$ :  $z_m$  is the OLS residual from projecting  $\sum_t \text{MPS}_{tm}$  on  $X_{1-m}$ , so this follows from OLS orthogonality. Second, writing  $X_{2-m} = \rho X_{1-m} + \eta_m$  and substituting  $z_m = \tilde{z}_m + \beta \eta_m$ :

$$\text{Cov}(X_{2-m}, z_m) = \underbrace{\text{Cov}(X_{2-m}, \tilde{z}_m)}_{=0} + \beta \underbrace{\text{Cov}(X_{2-m}, \eta_m)}_{=\text{Var}(\eta_m)} = \beta \text{Var}(\eta_m), \quad (\text{G.26})$$

where  $\text{Cov}(X_{2-m}, \eta_m) = \text{Var}(\eta_m)$  because  $\eta_m$  is the projection residual of  $X_{2-m}$  on  $X_{1-m}$ . This is the source of the bias:  $z_m$  is correlated with later-announcement news. Third:

$$\text{Cov}(\varepsilon_m, z_m) = \text{Cov}(\varepsilon_m, \tilde{z}_m) + \beta \underbrace{\text{Cov}(\varepsilon_m, \eta_m)}_{=0} = \kappa. \quad (\text{G.27})$$

Collecting terms:

$$\text{Cov}(Y_{m+h}, z_m) = \Theta_h \kappa + \Psi_{2h} \beta \text{Var}(\eta_m). \quad (\text{G.28})$$

For the clean instrument  $\tilde{z}_m$ , the  $\Psi_{2h}$  term vanishes:  $\text{Cov}(Y_{m+h}, \tilde{z}_m) = \Theta_h \kappa$ .

<sup>28</sup>Endnote 41 makes this explicit.

<sup>29</sup>Throughout I maintain that each event-level residual  $u_{tm}$  is uncorrelated with news realized at other announcements,  $\text{Cov}(u_{tm}, X_{s-m}) = 0$  for  $s \neq t$ , consistent with the BS-framework interpretation of  $u_{tm}$  as the structural monetary shock at announcement  $(t, m)$ . OLS orthogonality only delivers  $\text{Cov}(u_{tm}, X_{t-m}) = 0$ ; the cross-event piece is what makes  $\tilde{z}_m$  a valid instrument rather than merely a projection residual.

**The denominator and the main result (Estimand B).** In BS' proxy-SVAR,  $z_m$  instruments for the unobserved structural shock  $\varepsilon_m$ , and the impulse response is recovered by dividing the reduced-form covariance by the first-stage covariance.<sup>30</sup> The denominator is therefore  $\text{Cov}(\varepsilon_m, z_m)$  from (G.27) — crucially, this is *not*  $\text{Var}(z_m)$ , which equals  $\text{Var}(\tilde{z}_m) + \beta^2 \text{Var}(\eta_m) > \text{Var}(\tilde{z}_m)$ . Dividing (G.28) by  $\text{Cov}(\varepsilon_m, z_m)$ :

$$\widehat{\Theta}_h^{(z)} := \frac{\text{Cov}(Y_{m+h}, z_m)}{\text{Cov}(\varepsilon_m, z_m)} = \Theta_h + \Psi_{2h} \beta \frac{\text{Var}(\eta_m)}{\text{Cov}(\varepsilon_m, z_m)}. \quad (\text{G.29})$$

This is equation (15) in the body: the true impulse response  $\Theta_h$  plus a contamination term governed by the news-outcome effect  $\Psi_{2h}$ , the predictability coefficient  $\beta$ , and the ratio of news-innovation variance to first-stage relevance. For the clean instrument:  $\widehat{\Theta}_h^{(\tilde{z})} = \Theta_h$ .

**Comparison: reduced-form OLS (Estimand A).** The simplest alternative — regressing  $Y_{m+h}$  directly on  $z_m$  by OLS — uses  $\text{Var}(z_m)$  as denominator rather than  $\text{Cov}(\varepsilon_m, z_m)$ :

$$\theta_h^{(z)} := \frac{\text{Cov}(Y_{m+h}, z_m)}{\text{Var}(z_m)} = \frac{\Theta_h \kappa + \Psi_{2h} \beta \text{Var}(\eta_m)}{\text{Var}(\tilde{z}_m) + \beta^2 \text{Var}(\eta_m)}. \quad (\text{G.30})$$

This reduced-form coefficient combines  $\Theta_h$  and  $\Psi_{2h}/\beta$ , with  $\Theta_h$  scaled by  $\kappa/\text{Var}(z_m)$  — the classical measurement-error attenuation from  $z_m$  being a noisy proxy for  $\varepsilon_m$ . The contamination has the same source as in Estimand B (the  $\Psi_{2h}\beta \text{Var}(\eta_m)$  term in the numerator), but the larger denominator also shrinks the structural coefficient  $\Theta_h$  toward zero. The standard IV relationship links the two:  $\widehat{\Theta}_h^{(z)} = \theta_h^{(z)} / \pi^{(z)}$ , where  $\pi^{(z)} := \text{Cov}(\varepsilon_m, z_m)/\text{Var}(z_m)$  is the first-stage coefficient. The IV estimand undoes the attenuation but does not undo the news contamination. For  $\tilde{z}_m$ , the IV estimand equals  $\Theta_h$ ; the reduced-form coefficient coincides with it only under the additional normalization  $\text{Var}(\tilde{z}_m) = \text{Cov}(\varepsilon_m, \tilde{z}_m)$ .

## H. Event clustering and predictor homogeneity

One possible concern is that the event-level purging regression in equation (6) gives disproportionate influence to months with clustered announcements. If multi-announcement months obeyed a different predictor-to-surprise relationship from single-announcement months, the pooled purge could tilt the estimated coefficient vector toward those episodes and mechanically contribute to the decomposition in Section III.

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<sup>30</sup>In the proxy-SVAR notation, the structural impact vector is  $\widehat{\Sigma}_{u,z}/\widehat{\Sigma}_{u^2y,z}$ . The Wald ratio  $\text{Cov}(Y, z)/\text{Cov}(\varepsilon, z)$  is the horizon- $h$  generalization; see Bauer and Swanson (2023a), eq. (22) and endnote. 46.

This concern matters only if event clustering changes the object being estimated. Under homogeneous event-level coefficients, unequal spacing affects efficiency but not the probability limit of the purge. The relevant question is therefore empirical: do single- and multi-announcement months display different purging slopes, and does equalizing month-level influence materially change the monthly instrument?

I assess this issue in two ways. First, I interact the full predictor vector in equation (6) with an indicator for months with at least two announcements and test the interaction block jointly. Second, I re-estimate the purging regression with weights  $1/T_m$ , so that each month receives equal total influence, and compare the resulting monthly purge-then-sum instrument  $\tilde{z}_m^w$  with the baseline series  $\tilde{z}_m$ .

Table H.1 reports the coefficient-homogeneity test. The data do not reject common purging coefficients across single- and multi-announcement months: the joint test yields  $F(7, 334) = 1.00$  with  $p = 0.43$ . Table H.2 reports the weighting exercise. Reweighting the event-level purge leaves the monthly instrument essentially unchanged: the correlation between  $\tilde{z}_m$  and  $\tilde{z}_m^w$  is 0.999 overall, and the largest absolute gap is 0.022, attained in October 2008.

**Table H.1: Table 1** Homogeneity test: single- vs. multi-event months

	Coefficient	Robust SE	$t$	$p$
2+ announcements (intercept shift)	-0.010	0.015	-0.71	0.48
2+ announcements $\times$ NFP surprise	0.000	0.000	0.18	0.86
2+ announcements $\times$ NFP 12-month	0.005	0.006	0.93	0.35
2+ announcements $\times$ S&P 500 3-mo.	-0.178	0.106	-1.67	0.09
2+ announcements $\times$ Slope 3-mo.	0.019	0.019	1.01	0.31
2+ announcements $\times$ Commodity 3-mo.	-0.102	0.089	-1.16	0.25
2+ announcements $\times$ Skewness	0.012	0.024	0.51	0.61
Joint $F(7, 334) = 1.00$ , $p = 0.43$				
$R_{\text{restricted}}^2 = 0.160$ , $R_{\text{unrestricted}}^2 = 0.178$				

*Notes:* The unrestricted model fully interacts all six predictors in equation (6) with an indicator for months with at least two announcements. HC1-robust standard errors. Diagnostics use the public event-level sample through 2023, excluding March–December 2020; the same qualitative conclusion holds on the baseline pre-2020 sample.

**Table H.2: Table 2** Sensitivity of the monthly instrument to  $1/T_m$  reweighting

	All event-months	1 announcement	2+ announcements
Months	292	261	31
Corr( $\tilde{z}_m, \tilde{z}_m^w$ )	0.999	0.999	0.998
Mean $ \tilde{z}_m - \tilde{z}_m^w $	0.002	0.002	0.005
Max $ \tilde{z}_m - \tilde{z}_m^w $	0.022	0.013	0.022

*Notes:*  $\tilde{z}_m^w$  uses residuals from the event-level purging regression estimated with weights  $1/T_m$ , so that each month receives equal total influence. The largest absolute difference occurs in October 2008.  $SD(\tilde{z}_m) = 0.056$ , so the maximum gap corresponds to about 0.39 standard deviations of the baseline series.

Taken together, these diagnostics indicate that the decomposition in Section III is not being driven by a different event-level purging regression in clustered months, nor by the mechanical overweighting of those months in the first-stage purge. Event clustering is a legitimate concern in principle, but in this application it appears to have limited empirical bite.